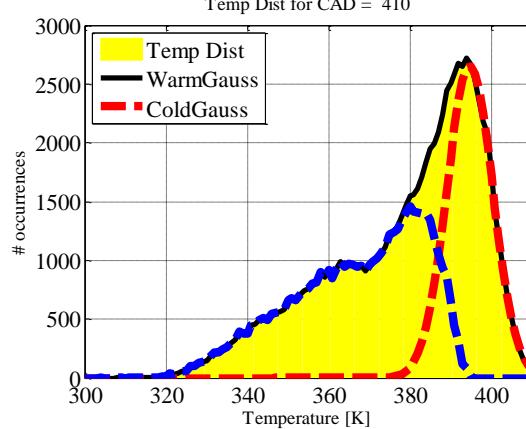
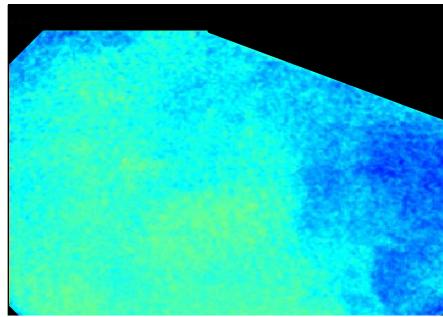
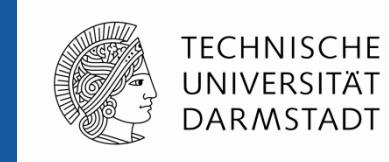


Chapter 5: Gas-Phase Thermometry

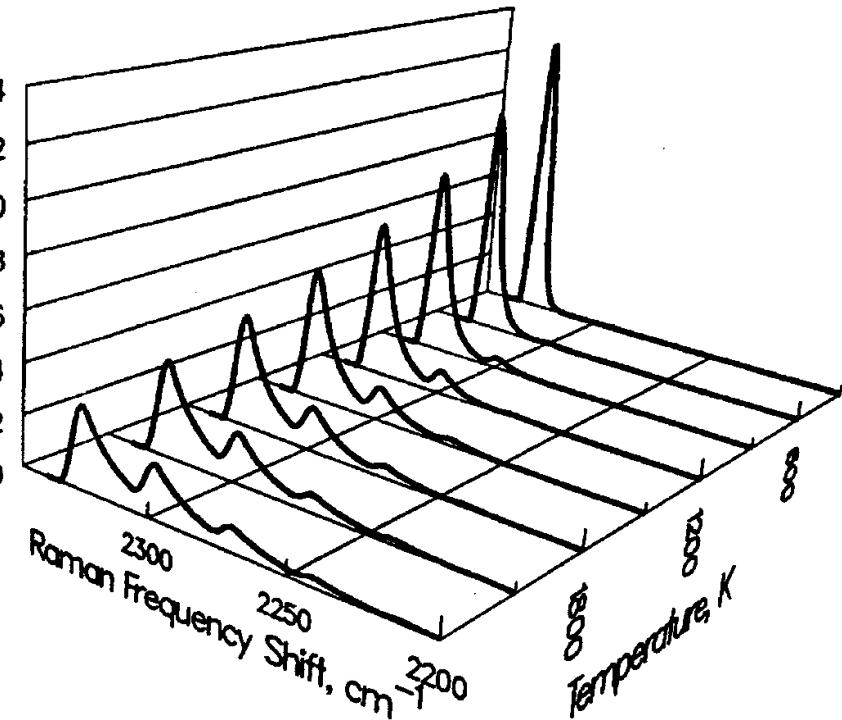
TU Darmstadt, Germany
Dept. of Mechanical Engineering
Institute for Reactive Flows and Diagnostics



L. Boltzmann, 1844-1906
Source: Wikipedia

A. Dreizler

ensity

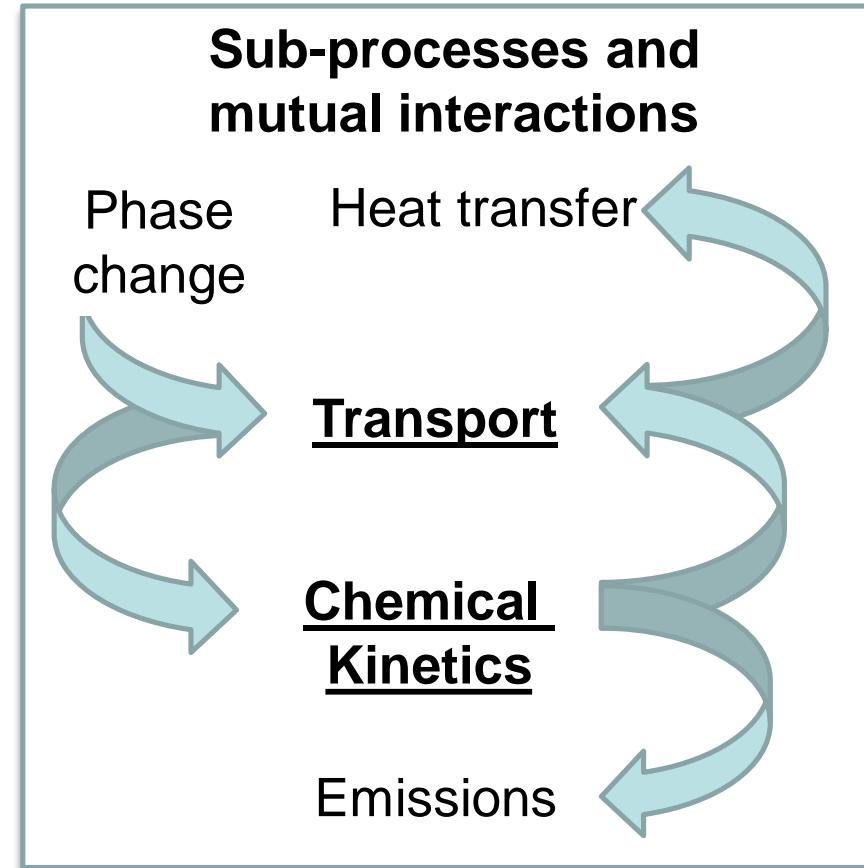


Source: Dr. A. Eckbreth

Combustion: coupled sub-processes



Combustion:
Energy conversion of
chemically bound to
thermal energy



→ Each of these sub-processes is significantly influenced by **local gas temperatures**

Need for accurate and precise temperature measurements to understand combustion



- Temperature (gas) is key quantity with impact on
 - Chemical kinetics (Arrhenius-type reaction rates)
 - Gas density (equation of state)
 - Viscosity
 - Progress variable in premixed combustion
- **Turbulence-chemistry interaction**
- Understanding combustion requires knowledge of local temperatures (gas)
 - Accurately: no systematic error (ideally)
 - Precisely: low statistical error (low noise, ..)
 - Locally: due to non-linear dependency of sub-processes on temperature

Laminar vs. turbulent combustion

- **Laminar** and stationary combustion
 - No temporal variation
 - Large spatial variation (across heat release zone)
→ Resolution requirements
 - Time: none
 - Space: high, depends on pressure, fuel etc., method must allow for resolving smallest scales (ideally)
- **Turbulent** (statistically stationary) combustion
 - Large temporal variation
 - Large spatial variation (heat release zone, convection, mixt. preparation)
→ Resolution requirements
 - Time: resolve Bachelor time-scales (ideally)
 - Space: resolve Bachelor length-scales (ideally)

Intrusive vs. non-intrusive sensing (1)

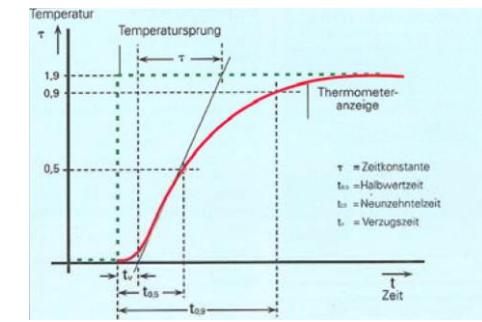


- Intrusive sensors**

- Thermocouples
- Resistance thermometer
- Major disadvantages



- Systematic errors (heat conduction, thermal radiation losses, impact on flow, promoting catalytic reactions, ...)
- Not sustainable (melting point, oxidation of metal)
- Size: ~mm → spatial resolution too low for resolving Bachelor scales
- Temporal response: first order system with large time-constants



→ Not well suited for many applications in combustion research

Intrusive vs. non-intrusive sensing (2)

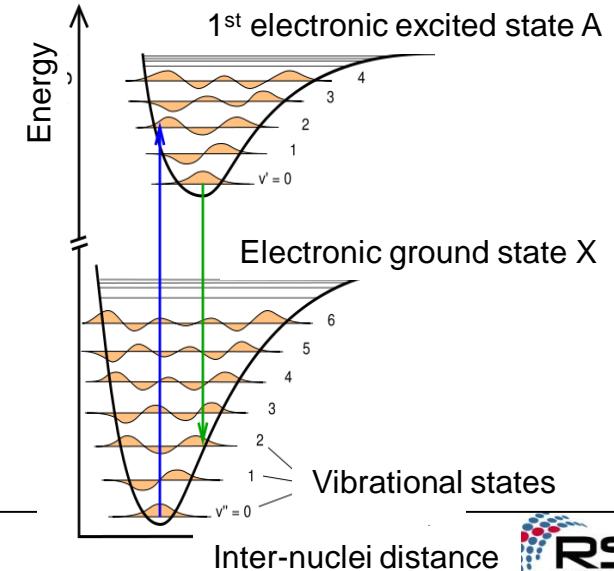
- **Non-intrusive** sensors: based on spectroscopic methods
 - Thermal radiation: generally not applicable in gaseous flames, suitable for measuring particle temperatures if emissivity is known
 - Chemiluminescence (OH^* , CH^* , ...): not in chemical equilibrium





Intrusive vs. non-intrusive sensing (2)

- **Non-intrusive** sensors: based on spectroscopic methods
 - Thermal radiation: generally not applicable in gaseous flames, suitable for measuring particle temperatures if emissivity is known
 - Chemiluminescence (OH^* , CH^* , ...): not in chemical equilibrium
 - Spectroscopic methods
 - Probing Boltzmann distribution of quantum states
 - Exploit temperature-dependent absorption or emission bands
 - Measuring density



Intrusive vs. non-intrusive sensing (2)



- **Non-intrusive** sensors: based on spectroscopic methods
 - Thermal radiation: generally not applicable in gaseous flames, suitable for measuring particle temperatures if emissivity is known
 - Chemiluminescence (OH^* , CH^* , ...): not in chemical equilibrium
 - Spectroscopic methods
 - Probing Boltzmann distribution of quantum states
 - Exploit temperature-dependent absorption or emission bands
 - Measuring density
- **Well suited for many applications in combustion research**
- **There is not the single best method, but best choice depends on purpose**
- **Disadvantage:** effort is high, needs expert knowledge, needs optical access

Spectroscopic methods – classification



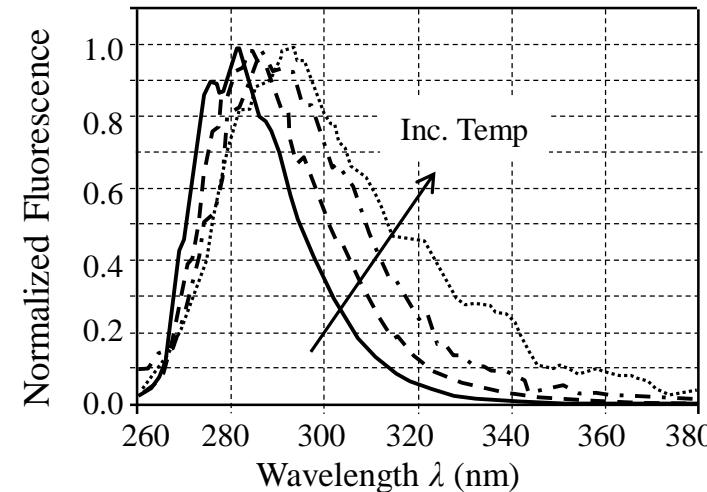
- Based on
 - Boltzmann distribution

$$\frac{N_i}{N} = \frac{g_i \exp(-E_i / kT)}{\sum_j g_j \exp(-E_j / kT)} = \text{unique function of } T$$

g_i : degeneracy factor E_i : energy quantum state; both from quantum mechanics
 $\sum \dots$: partition function

- Temperature-dependent absorption/emission
- Density (N/V) measurements

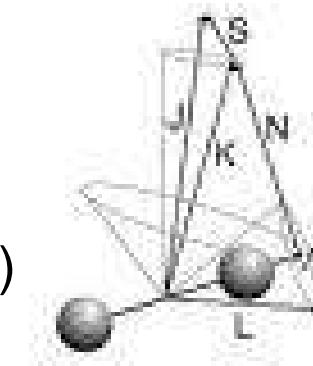
$$pV = NkT \rightarrow T = \frac{pV}{Nk}$$



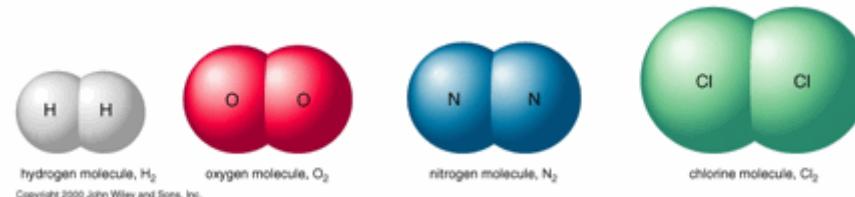
Restriction to diatomic molecules



- Two atoms, covalent bounded
- Degrees of freedom
 - 3 translation
 - Electronic (here only valence electron considered)
 - 1 vibrational
 - 2 rotational (degenerated)
- In combustion degrees of freedom not necessarily in equilibrium!
→ Translational, electronic, vibrational, and rotational temperatures not always identical

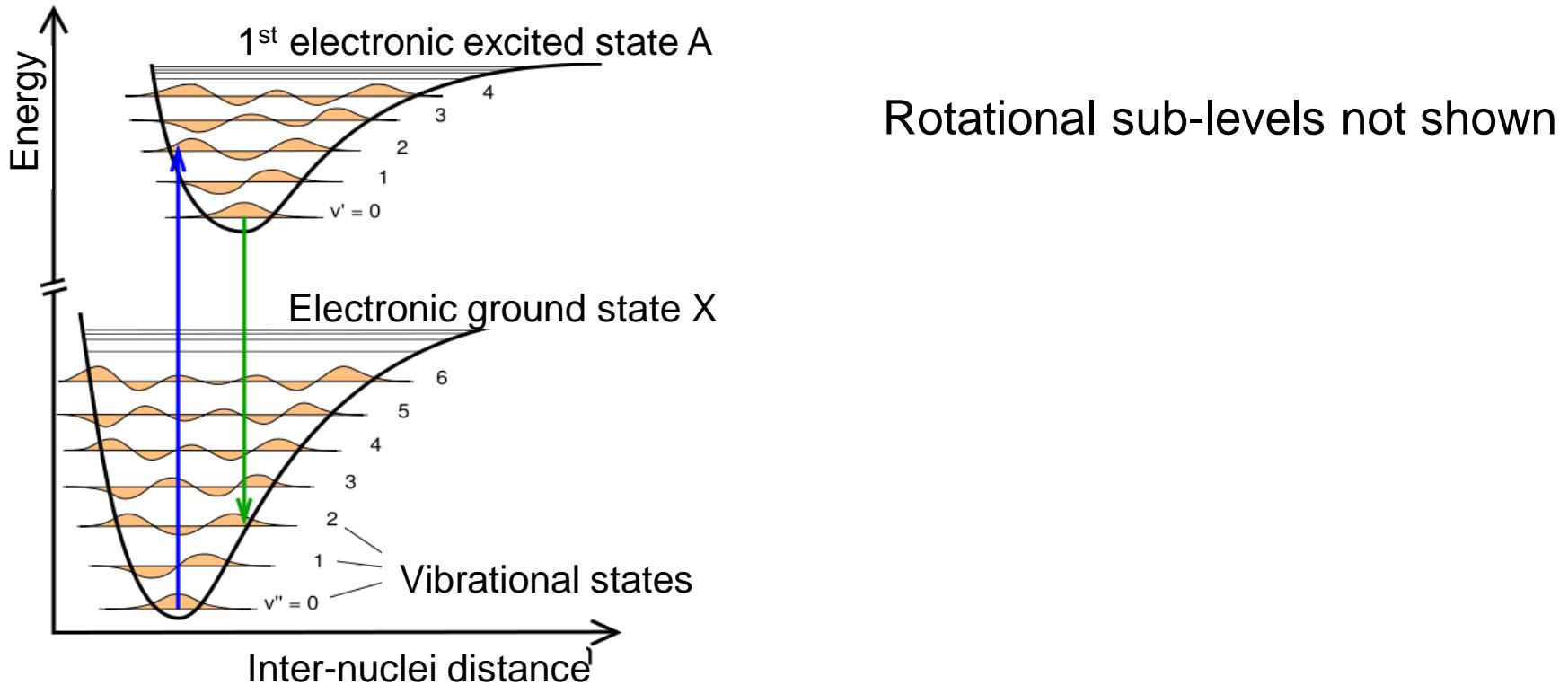


Source: Wikipedia



Source: Wiley and Sons

Internal energies of diatomic molecule



$$T = T^{el} + S(v, J) = T^{el} + G(v) + F(v, J)$$

$$= T^{el} + \omega_e \left(v + \frac{1}{2} \right) - \omega_e x_e \left(v + \frac{1}{2} \right)^2 + \omega_e y_e \left(v + \frac{1}{2} \right)^3 + \dots + B_v J(J+1) - D_v J^2(J+1)^2 + \dots$$

Temperature measurement via Boltzmann (1)

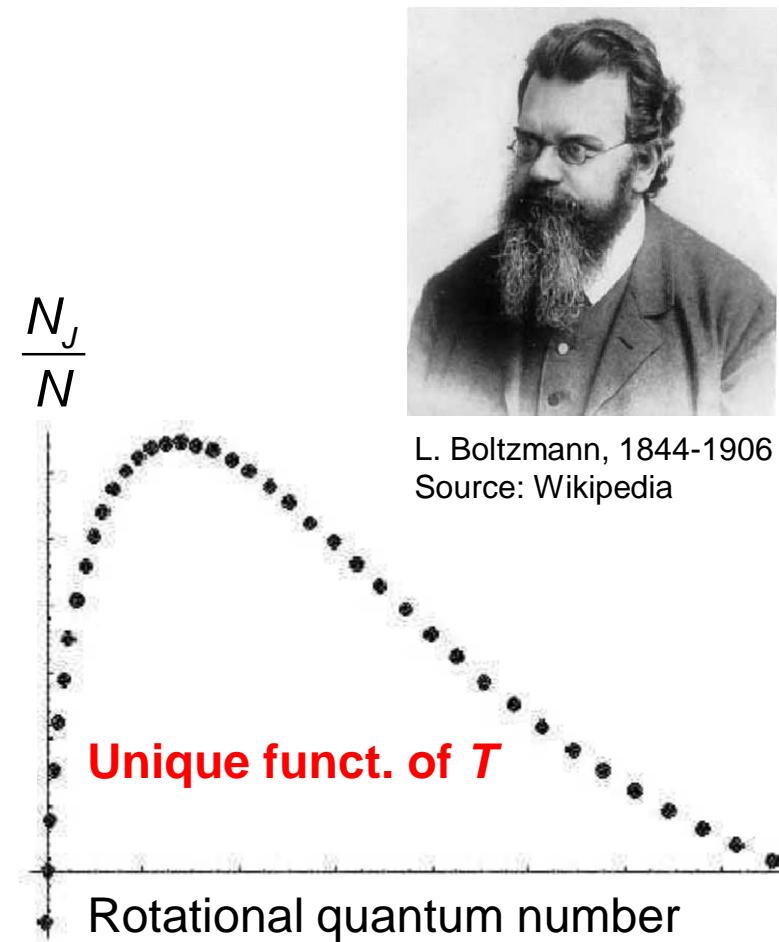


- Boltzmann distribution (diatomic molecule)
 - **Rotational** sub-levels

$$\frac{N_J}{N} = \frac{(2J+1)\exp(-E_J / kT)}{\sum_J (2J+1)\exp(-E_J / kT)}$$

with J rotational quantum number
(fractional population)

- Already at $T = 300$ K many rotational sub-levels populated because energy separation between adjacent small ($10 - 100$ cm^{-1})



L. Boltzmann, 1844-1906
Source: Wikipedia

Temperature measurement via Boltzmann (2)



- Boltzmann distribution (diatomic molecule)

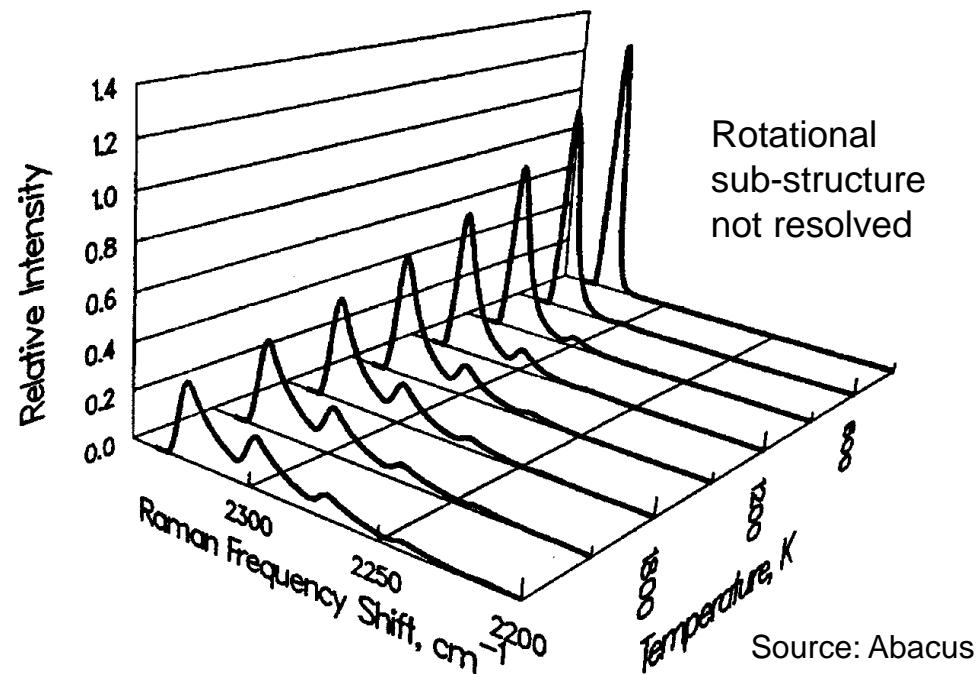
- **Vibrational** sub-levels

$$\frac{N_v}{N} = \frac{\exp(-E_v / kT)}{\sum_v \exp(-E_v / kT)} \text{ with } v \text{ vibrational quantum number}$$

- Vibrationally excited levels n

Example N₂:

- Energy gap between $v''=0$ and $v'=1 \sim 2300 \text{ cm}^{-1}$



Source: Abacus

Temperature measurement via Boltzmann (3)



- Boltzmann distribution (diatomic molecule)

- **Electronic** sub-levels

$$\frac{N_{ES}}{N} = \frac{\exp(-E_{ES} / kT)}{\sum_{ES} \exp(-E_{ES} / kT)}$$
 with ES quantum number of electronic state

- Energy separation $> 10000 \text{ cm}^{-1}$

→ In general: Not significantly populated at combustion temperatures

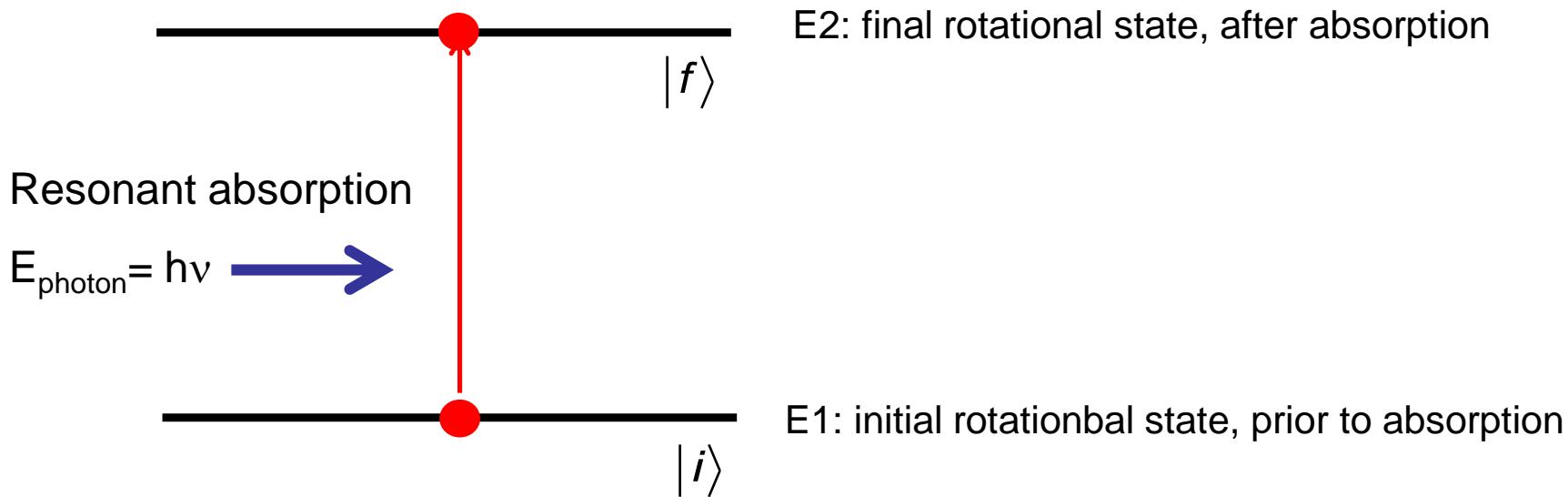
Exception: Atomic tracer such as indium (not considered in detail during this lecture)

→ Measure temperature via the distribution of rotational quantum states

Rotational temperatures – by microwaves



- **Task:** measuring Boltzmann distribution of rotational sub-levels
 - **Single photon** resonant processes
 - Pure rotational spectroscopy



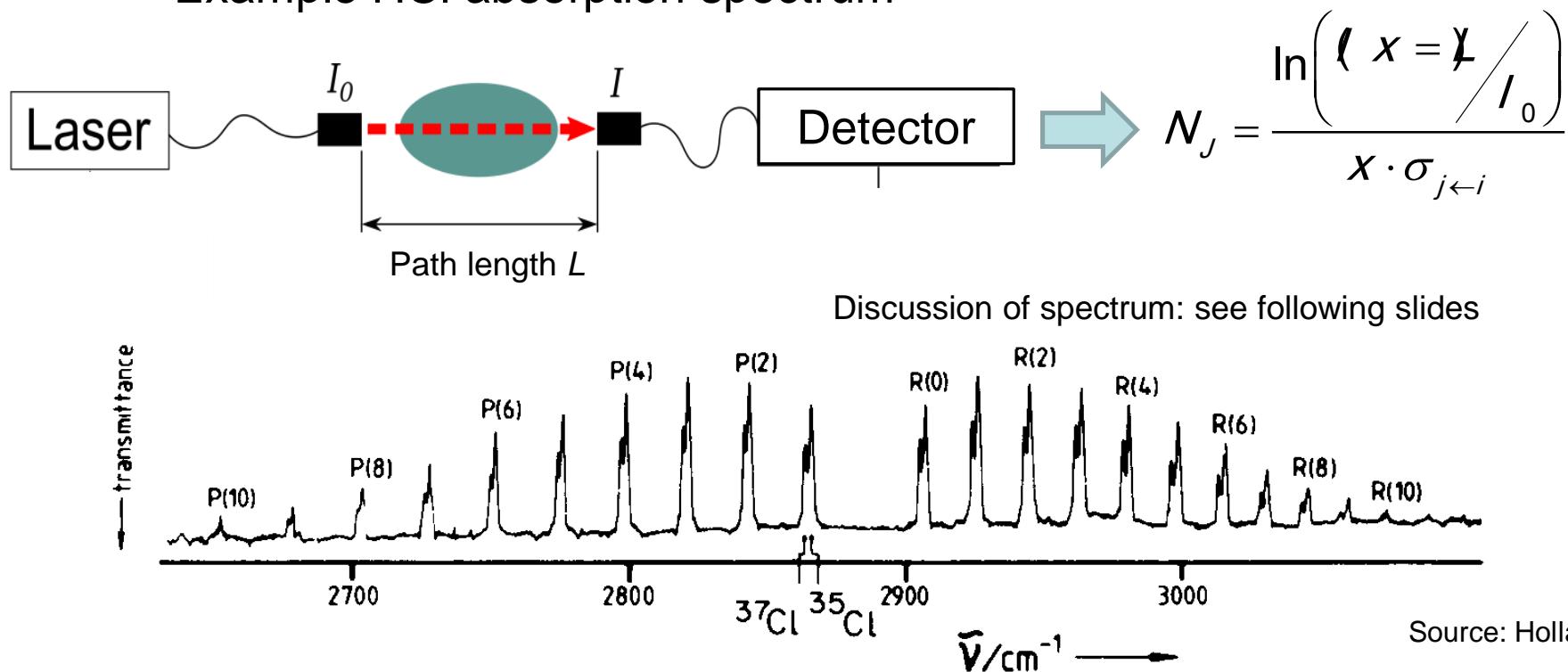
- Energy separation: $10 - 100 \text{ cm}^{-1} \rightarrow \text{microwave radiation}$
- **Not common** in combustion (low spatial res., background radiation)

Rotational temperatures – by IR spectroscopy



- **Rotational-vibrational spectroscopy**

- Energy separation: $\sim 1000 - 4160 \text{ cm}^{-1} \rightarrow$ infrared radiation
- Example HCl absorption spectrum



- **Fundamental finding from quantum mechanics**

- Change of vibrational quantum number $\Delta v = \pm 1, \pm 2, \dots$
- Change of rotational quantum number $\Delta J = \pm 1$
- But exceptions (for example NO) $\Delta J = 0, \pm 1$
- Notation

$\Delta J = 0 \Rightarrow$ Q-lines

$\Delta J = 1 \Rightarrow$ R-lines

$\Delta J = -1 \Rightarrow$ P-lines

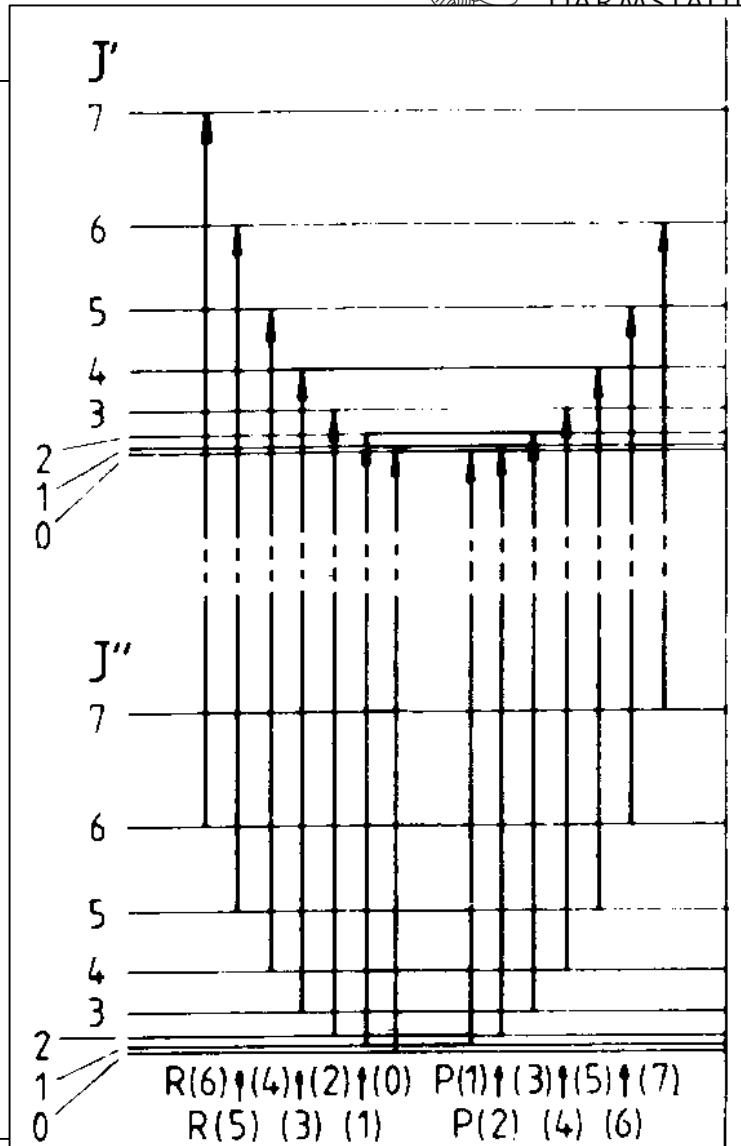
Selection rules



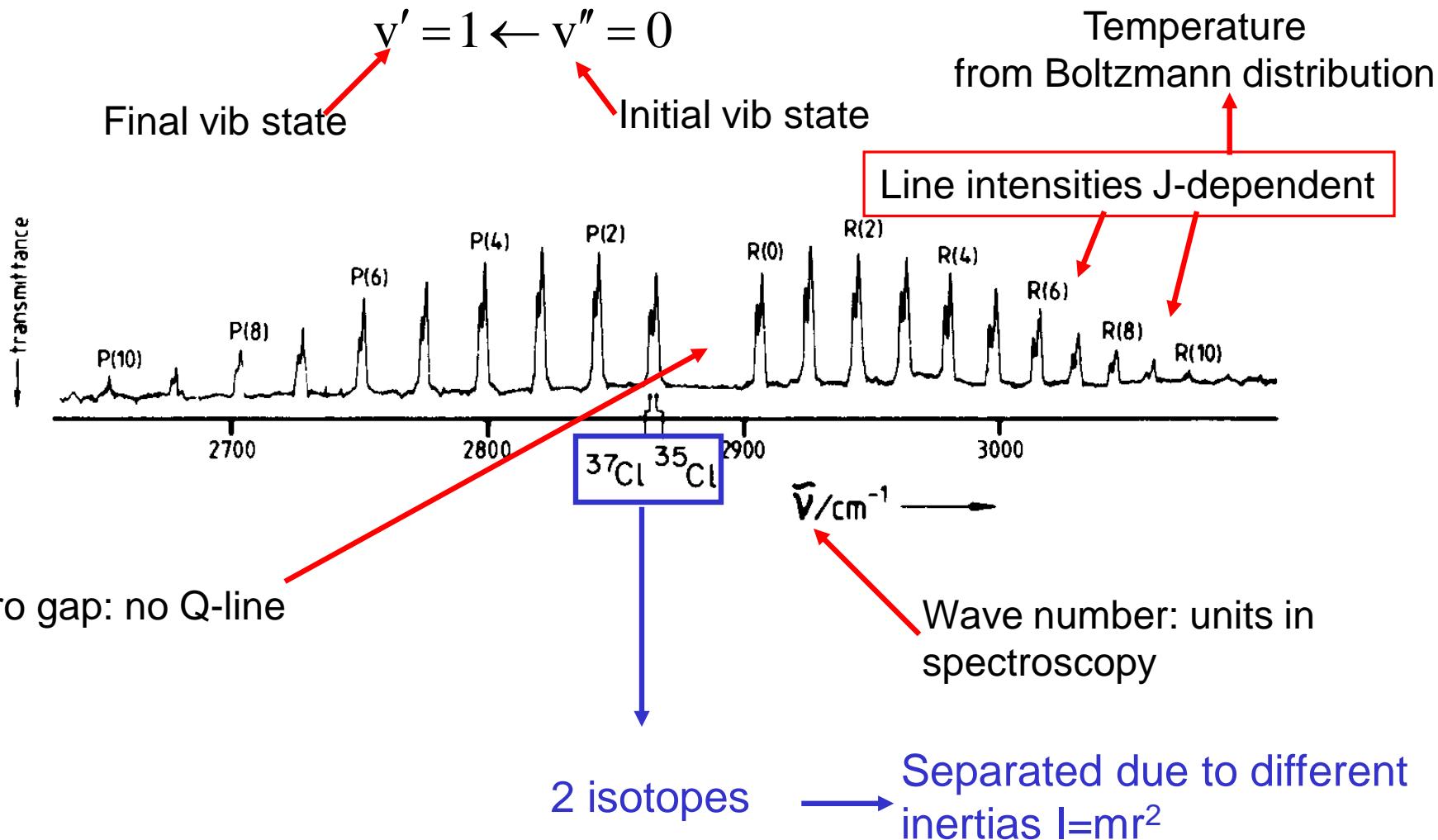
$\Delta J = 0 \Rightarrow$ Q-lines

$\Delta J = 1 \Rightarrow$ R-lines

$\Delta J = -1 \Rightarrow$ P-lines



Spectrum interpretation HCl



Rotational temperatures by UV/VIS spectroscopy (1)



- **Electronic spectroscopy:** change of electronic, vibrational and rotational states due to absorption of UV or VIS photon

- Energy separation $> 10000 \text{ cm}^{-1}$

- Selection rules (extract only)

$$\Delta J = 0, \pm 1 \rightarrow Q-, R-, P-\text{lines}$$

$$\Delta v = 0, \pm 1, \pm 2, \dots \rightarrow \text{Compare „Franck-Condon principle“}$$

→ For Hund case (a) (most important rules)

$$\Delta \Lambda = 0, \pm 1 \quad \Sigma - \Sigma, \Pi - \Sigma \text{ or } \Delta - \Pi \text{ transitions. Not allowed for example } \Delta - \Sigma \text{ transitions}$$

$\Delta S = 0$ Allowed: Triplet – Triplet or Singlet – Singlet transitions

Spin forbidden: Singlet – Triplet transitions

Λ : Projection of orbital momentum L on molecule axis

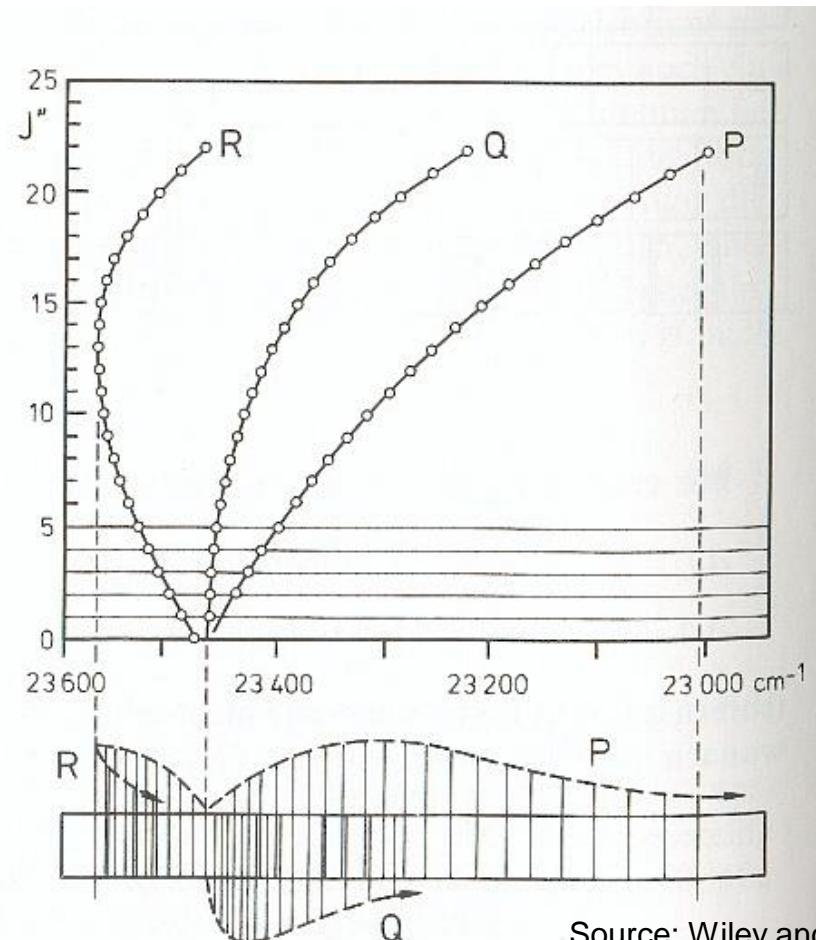
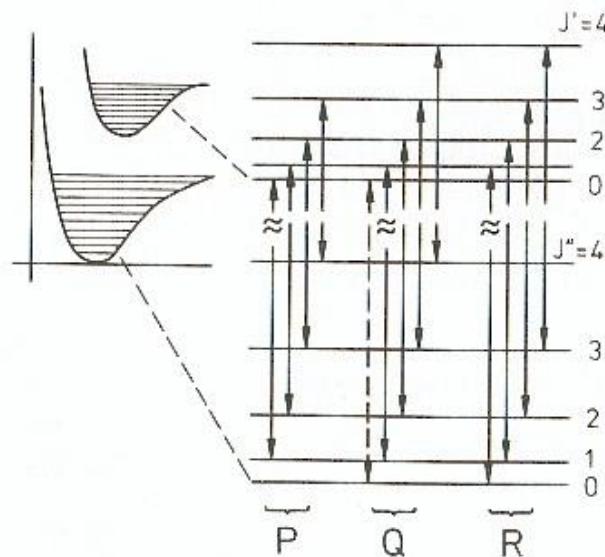
S: Multiplicity

Rotational temperatures by UV/VIS spectroscopy (2)



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- Electronic spectroscopy:



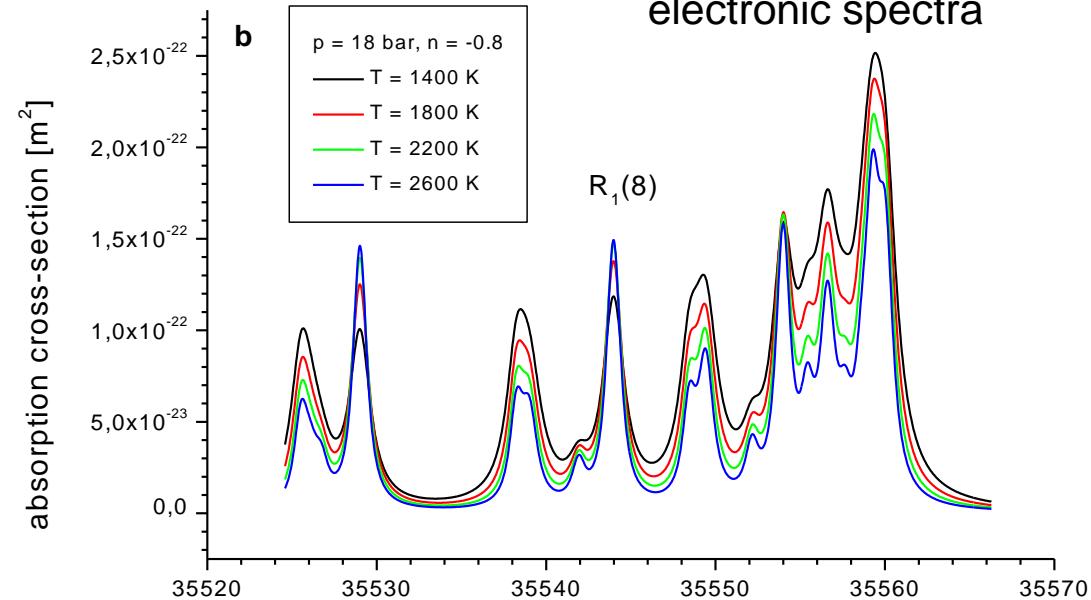
Source: Wiley and Sons

Rotational temperatures by UV/VIS spectroscopy (3)



- OH $A^2\Sigma \leftarrow X^2\Pi$ ($v'=1 \leftarrow v''=0$)–transition
- R-branch, band head

Temperature dependent
electronic spectra



Methods in the IR & UV/VIS for temperature measurements via Boltzmann distribution

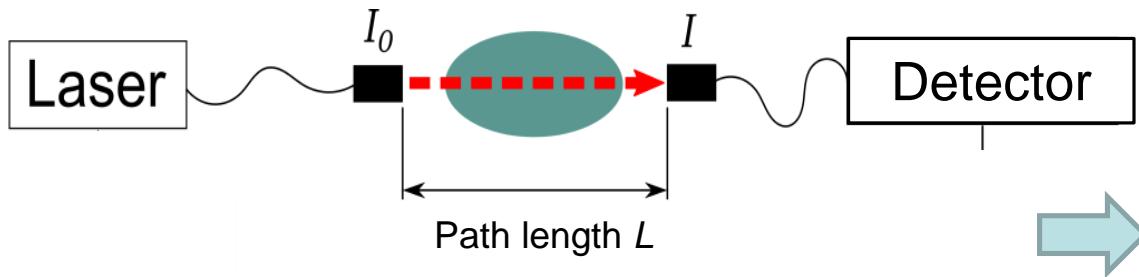


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- Laser absorption spectroscopy (LAS)
- Laser-induced fluorescence (LIF)
- Raman spectroscopy (RS)
- Coherent anti-Stokes Raman spectroscopy (CARS)

Laser absorption spectroscopy (1)

- Experimental setup



- Deduce number densities from Beer-Lambert's law

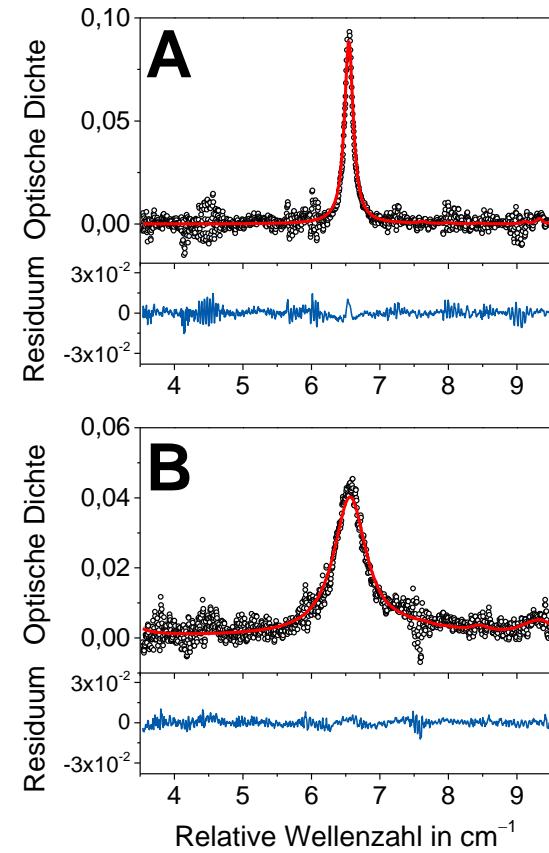
$$I(x=L) = I_0 \exp(-x \cdot N_j \cdot \sigma_{j \leftarrow i}) \Leftrightarrow N_j = \frac{\ln\left(\frac{I(x=L)}{I_0}\right)}{x \cdot \sigma_{j \leftarrow i}}$$

Laser absorption spectroscopy (2)

- Deduce temperature from Boltzmann distribution
 - Two-line thermometry

$$T = \frac{E_{J_2} - E_{J_1}}{k \ln \left(\frac{N_1 (2J_2 + 1)}{N_2 (2J_1 + 1)} \right)}$$

- Multi-line thermometry: by spectral fit



Laser absorption spectroscopy (3)

- Advantages
 - Sensitive
 - Accurate (no calibration required if spectroscopic details such as term values, line strengths, line broadening mechanisms known)
 - High accuracy, needs multi-line thermometry (for instantaneous T-measurements these requires rapid tuning of laser frequency and fast detection)
 - High spatial resolution perpendicularly to laser path
- Disadvantages
 - Line-of-sight (LOS): no spatial resolution along laser path, needs homogeneous distribution along laser path
 - Multi-line thermometry needs fast tuning of laser and fast detector

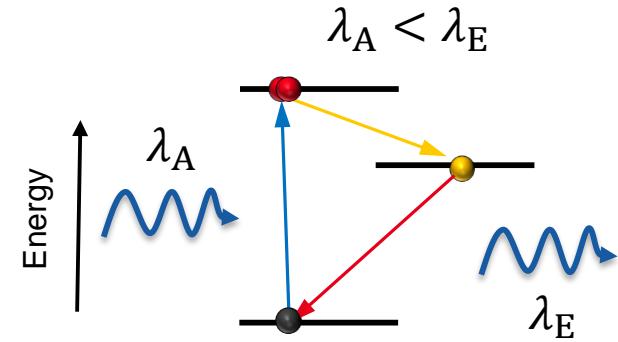
→ **Great in laminar flames, not easily applicable in turbulent flames (LOS)**



Laser Induced fluorescence (1)

Step 1: Absorption

- Electronic excitation of molecules by laser radiation
- Wavelength λ_A



Step 2: Spontaneous emission (fluorescence)

- Spectrally red-shifted $\lambda_A < \lambda_E$
- Upper state lifetime typically few ns for flame conditions
- Measure of local number density

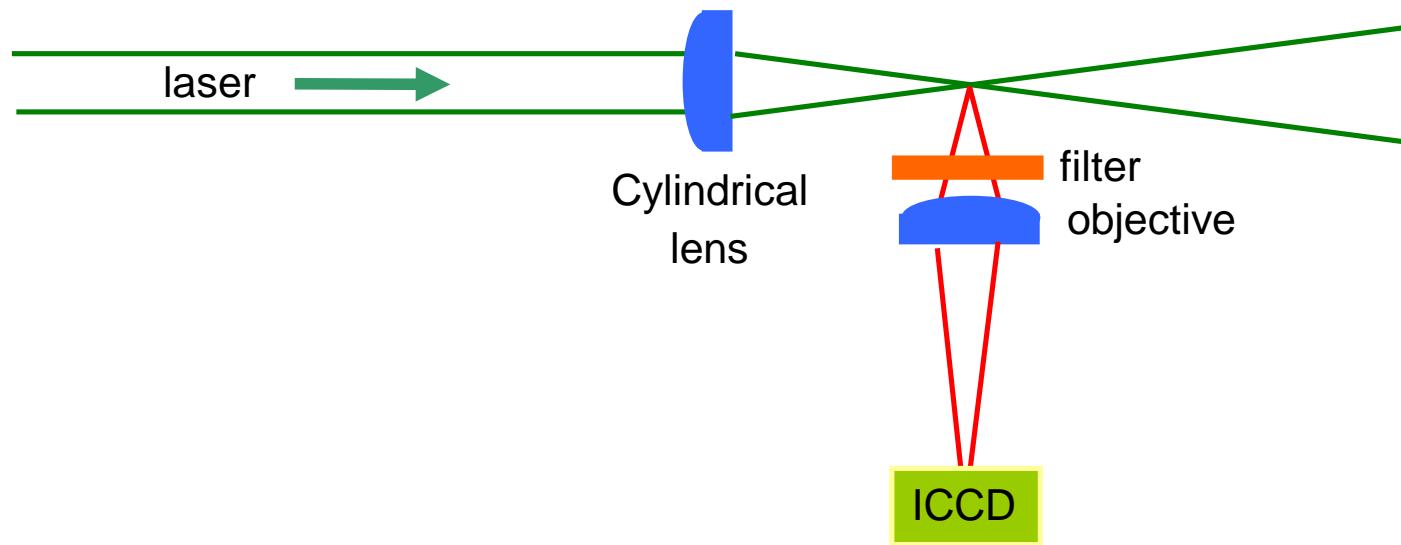
- Linear LIF regime

$$I_{LIF}(x) = N_1(x) \sigma \gamma(v) I_{laser}(x) \frac{\tau_{tot}}{\tau_{sp}} U \frac{\Omega}{4\pi} \varepsilon \eta$$

Laser Induced fluorescence (2)



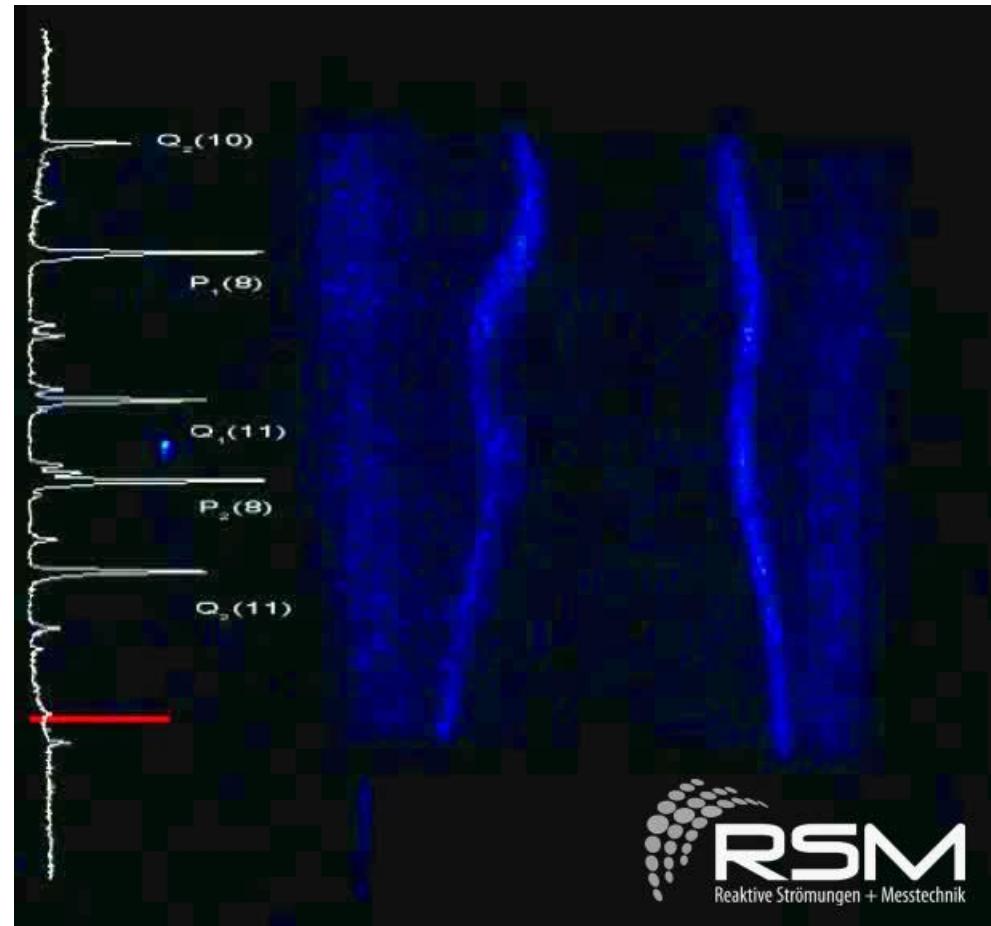
- Experimental setup



Laser Induced fluorescence (3)



- Flame front visualization in CH_4/air Bunsen flame, $p = 1 \text{ bar}$
- Excitation by tunable KrF excimer laser at $\sim 248 \text{ nm}$





Laser Induced fluorescence (4)

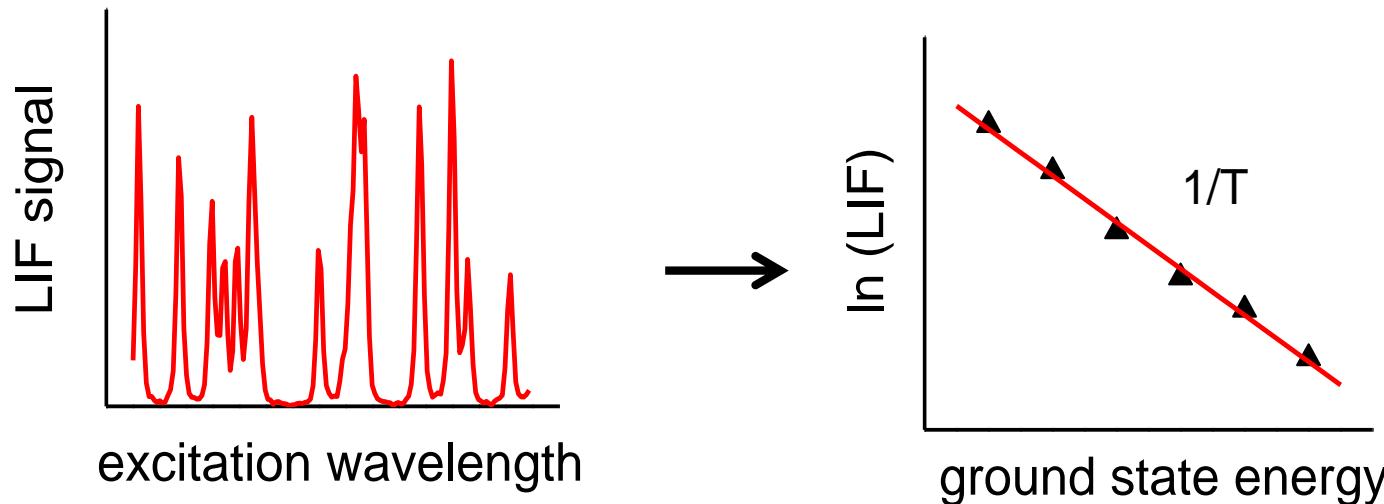
- **Two-line thermometry:**
 - excite two different transitions
 - Transitions selected such that ratio of number densities N_1 and N_2 vary sensitively with temperature
 - But: number density should not be too low for reasonable signal-to-noise ratio
- Calculate ratio of two LIF Signals $I_{LIF,i} \propto N_i \times U(\delta\gamma)_{laser,i} \propto \gamma \nu \frac{\tau_{tot}}{\tau_{sp}} \frac{\Omega}{4\pi} \varepsilon \eta$
 → Yield ratio

$$R_{12} = \frac{I_{LIF,1}}{I_{LIF,2}} = \frac{c_1 I_{laser,1} g_1 \exp(-E_1/kT) B_1 \gamma_1(p,T) \tau_{eff,1}/\tau_{sp,1}}{c_2 I_{laser,2} g_2 \exp(-E_2/kT) B_2 \gamma_2(p,T) \tau_{eff,2}/\tau_{sp,2}}$$

→ Issue two-line thermometry: Low precision due to experimental noise

Laser Induced fluorescence (5)

- **Multi-line thermometry:** measure entire excitation-fluorescence spectrum
- Method 1: Spectral fit of entire spectrum by variation of temperature
- Method 2: Plot $\ln(I_{LIF})$ vs ground state energy and deduce temperature from slope



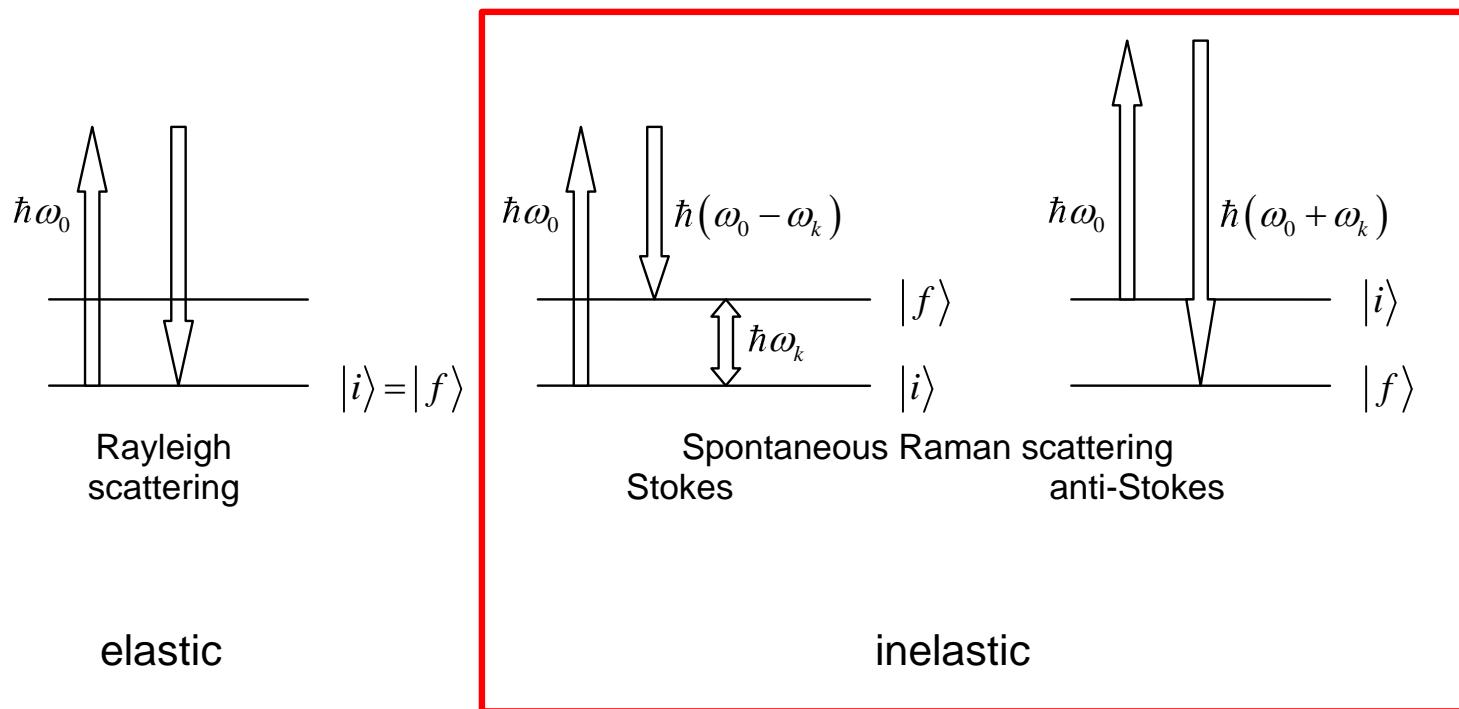
→ Great in laminar flames, not applicable in turbulent flames as wavelength scan takes too long

Laser Induced fluorescence (6)

- **Choice of species** for LIF thermometry based on Boltzmann distribution
 - Naturally occurring molecules: OH radical, concentration level in typical flames sufficiently high only for $T > 1500$ K
 - Seeded species:
 - NO, chemically more or less inert, but may not be a good choice for cases studying auto-ignition (NO promotes auto-ignition), caution: NO is toxic
 - Indium, typically via InCl, for example dissolved in liquid fuel such as iso-octane, seeding is difficult in general (compare papers from Hult et al. or Nathan et al.)

Raman spectroscopy (1)

- Elastic and inelastic light scattering of photons off molecules



Raman spectroscopy (2)



- Selection rules

$$\Delta J = 0, \pm 2$$

$\Delta J = 0 \rightarrow Q\text{-branch}$

$\Delta J = +2 \rightarrow O\text{-branch}$

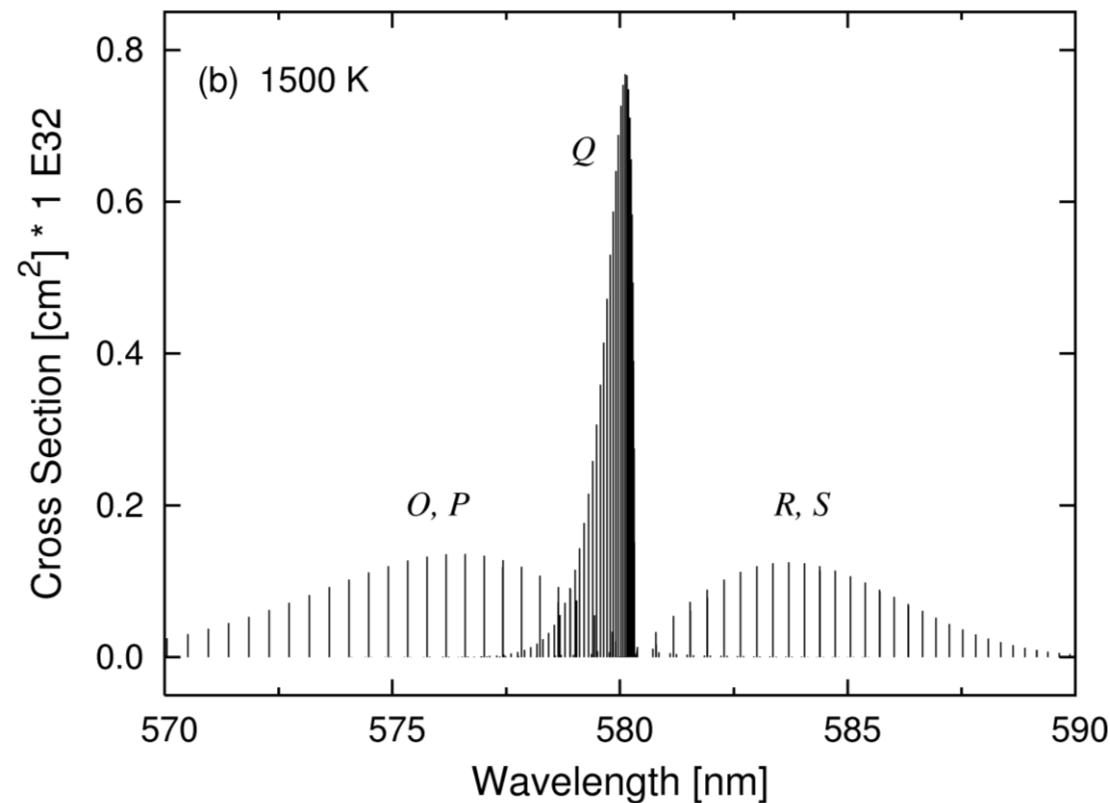
$\Delta J = -2 \rightarrow S\text{-branch}$

Oxygen molecule O_2 , $T = 1500$ K

Simulated “stick spectrum” – infinite resolution

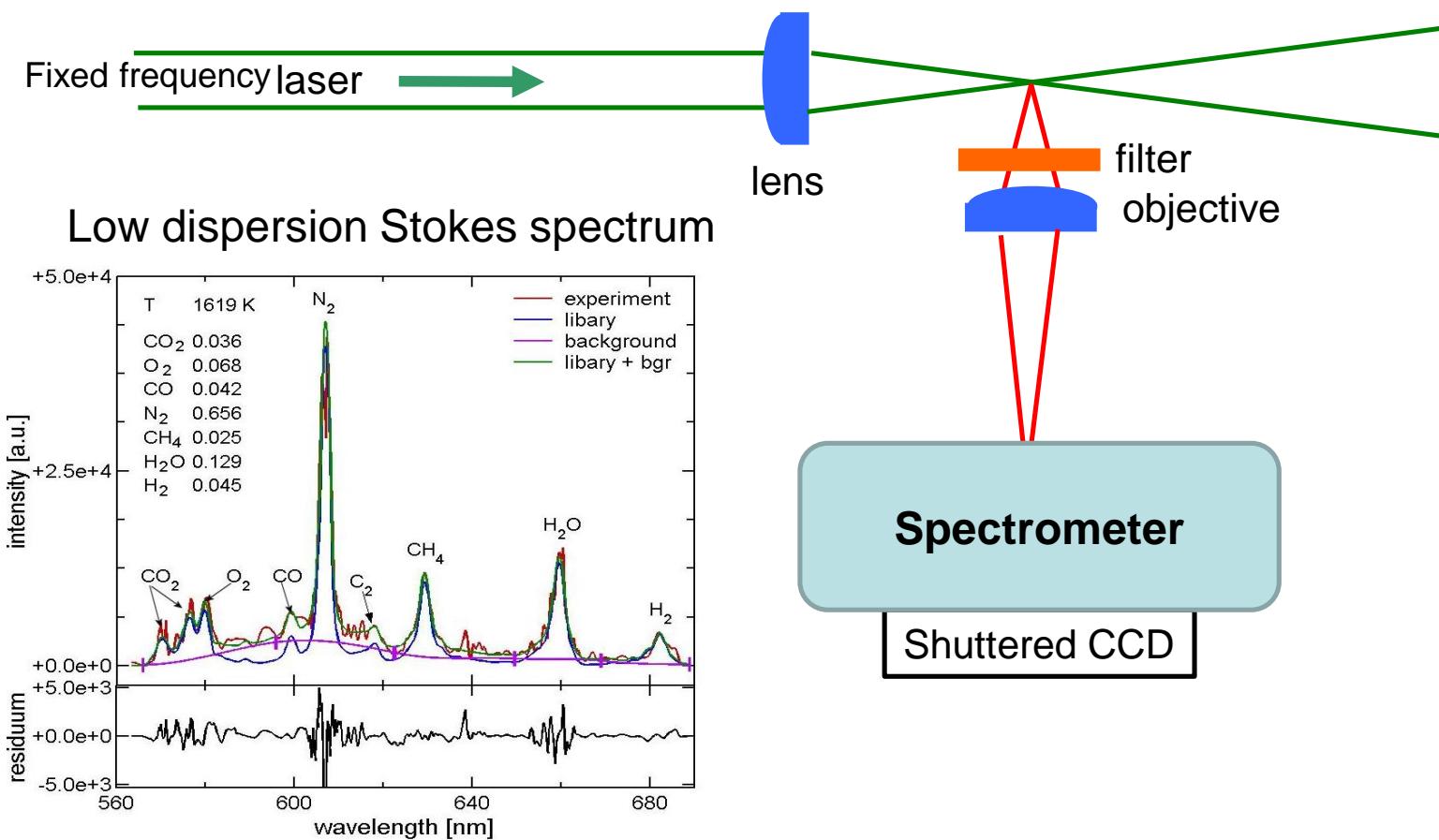
Ro-vibronic **Stokes-Raman**

Exception: very weak R and P-lines



Raman spectroscopy (3)

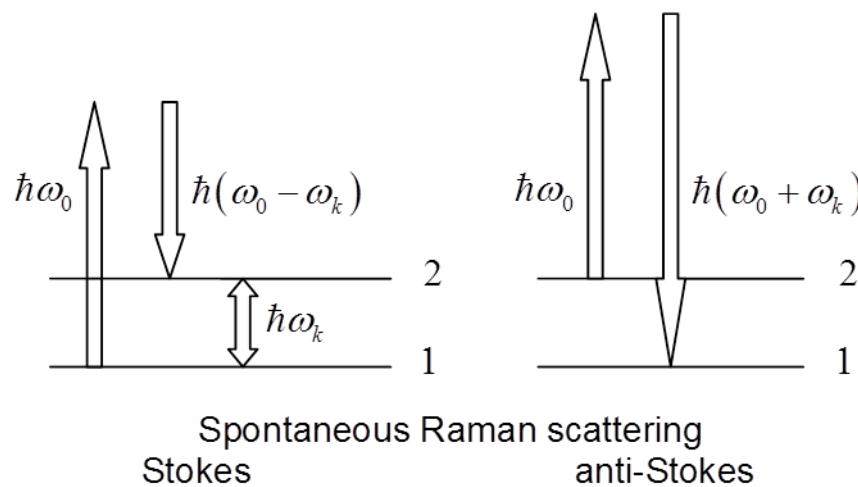
- Experimental setup





Raman thermometry (1)

- Ratio of I_{Stokes} to $I_{anti-Stokes}$



$$\begin{aligned} I_{Stokes} &\sim N_1 \\ I_{anti-Stokes} &\sim N_2 \end{aligned}$$

$$T = \frac{E_2 - E_1}{k \ln \left(\frac{N_1 g_2}{N_2 g_1} \right)}$$

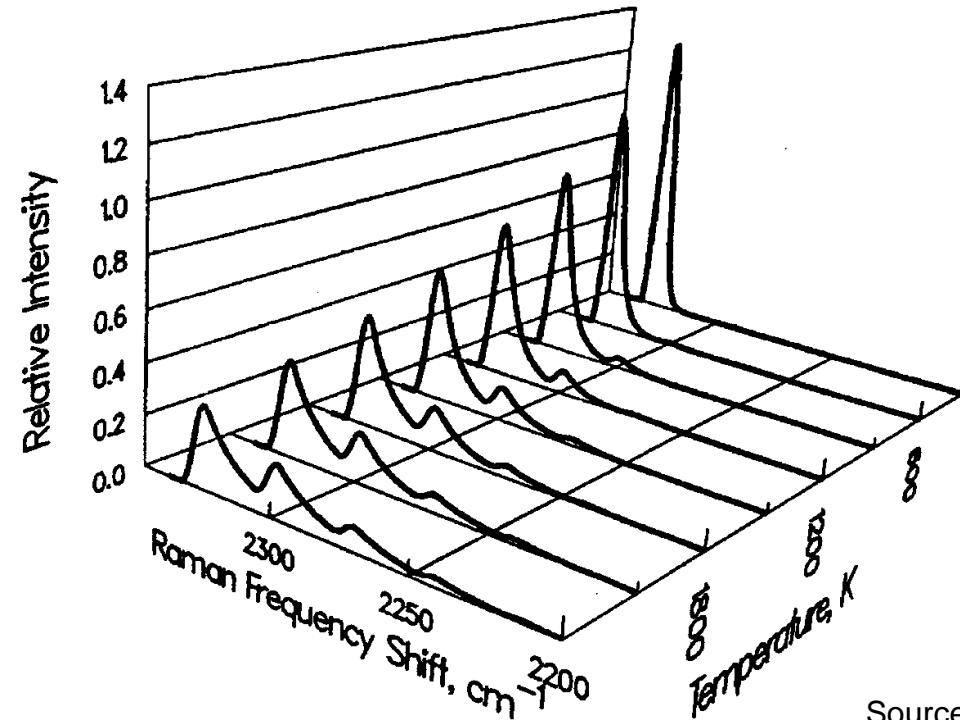
- Typically applied for vibrational levels
 - Example N₂: Temperature sensitivity starting from ~ 500K (otherwise too low fractional population)
 - Not very common in combustion community



- Measure entire **Raman Stokes** spectrum
- Combustion: Typically ro-vibronic spectrum of N_2
- **High dispersion** → resolve only N_2 , no other molecules

Not very common in
combustion research
(high dispersion comes
along with low signal)

Pure Raman thermometry not
common in combustion
community



Source: Abacus

Coherent anti-Stokes Raman spectroscopy (1)



- Non-linear polarization

$$P_i = \epsilon (\chi_{ij}^{(1)} E_j + \chi_{ijk}^{(2)} E_j E_k + \chi_{ijkl}^{(3)} E_j E_k E_l + \dots)$$

$$\begin{array}{ccc} \downarrow & \downarrow & \downarrow \\ \approx 10^0 & \approx 10^{-12} & \approx 10^{-23} \end{array}$$

P_i : Polarization

E_i : Electrical field

$\chi^{(n)}$: Susceptibility of n-th order

- Non-linear effects are observable only at high electrical field strength
- Pulsed LASER is prerequisite

In Gases : $\chi^{(2)} = 0$



CARS: theoretical background

- Wave equation describes light emission due to non-linear polarization

$$\nabla^2 \vec{E} - \frac{1}{c^2} \frac{\partial^2 \vec{E}}{\partial t^2} = \mu_0 \frac{\partial^2 \vec{P}}{\partial t^2}$$

Here: $P_i = \epsilon_0 (\chi_{ij}^{(1)} E_j + \chi_{ijkl}^{(3)} E_j E_k E_l)$

$$E_{(\omega_4)} \propto E_{(\omega_1)} E_{(\omega_2)} E_{(\omega_3)} \left| \chi_{CARS_{(\omega_1, \omega_2, \omega_3)}} \right|^2 \frac{e^{(i\Delta kl)} - 1}{\Delta k}$$

coherent

Common practice in CARS: $\omega_1 = \omega_3$

$$I_{CARS} \propto I_1^2 I_2 \left| \chi_{CARS_{(\omega_1, \omega_2)}} \right|^2 l^2 \left(\frac{\sin \frac{\Delta kl}{2}}{\frac{\Delta kl}{2}} \right)^2$$

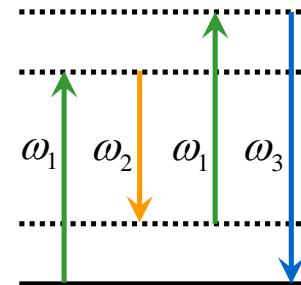
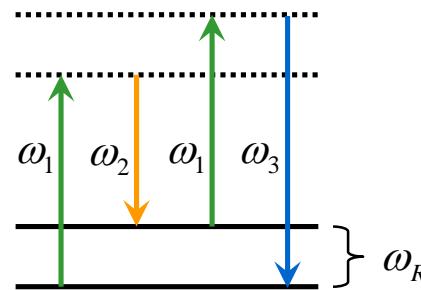
CARS: energy and momentum conservation



- Pictorial view of CARS

Energy balance: $\omega_3 = 2\omega_1 - \omega_2$

Pump laser
 Stokes laser
 CARS signal (anti-Stokes)

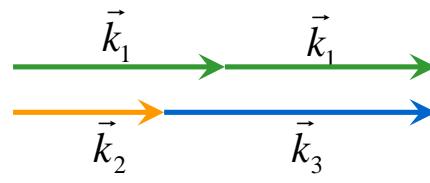


Selection rules

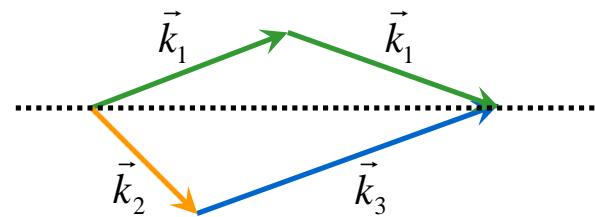
$$\Delta J = 0, \pm 2$$

$$\Delta v = 1$$

Momentum balance: $\vec{k}_3 = \vec{k}_1 + \vec{k}_1' - \vec{k}_2$ **Termed phase matching**



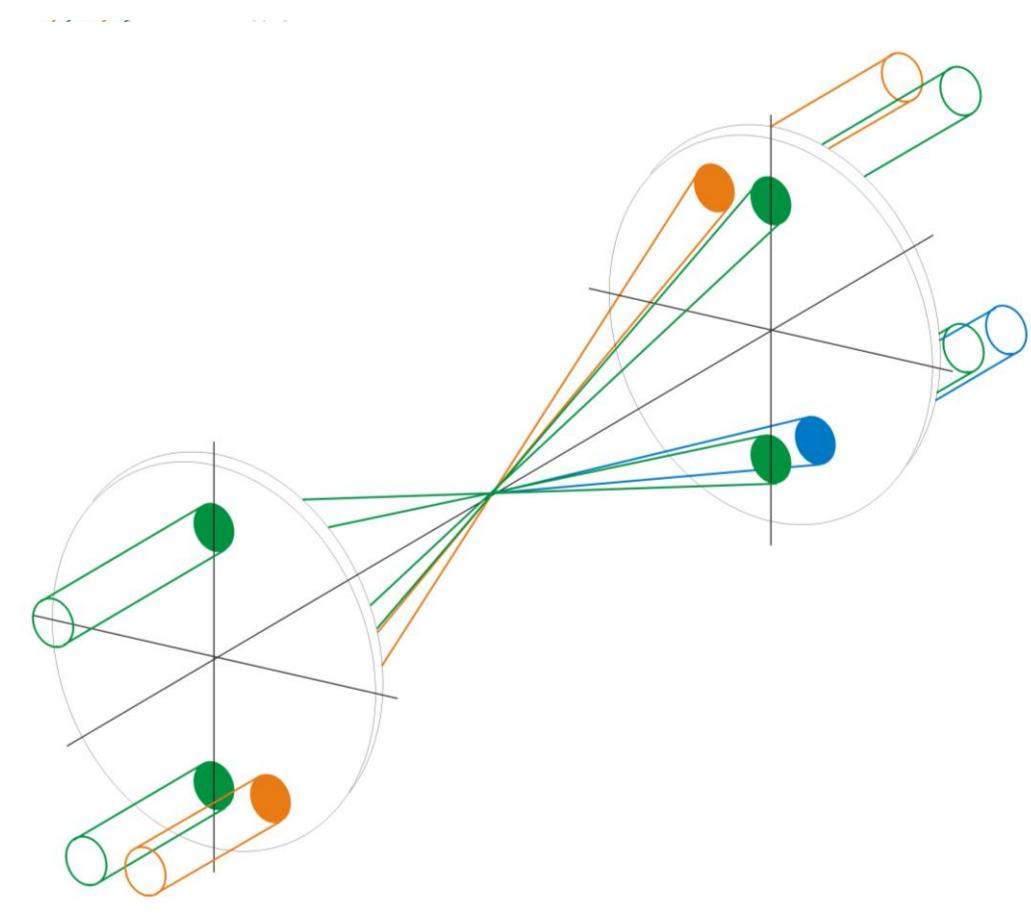
Co-linear CARS



BOX CARS: preferred, higher spatial resolution

CARS: phase matching

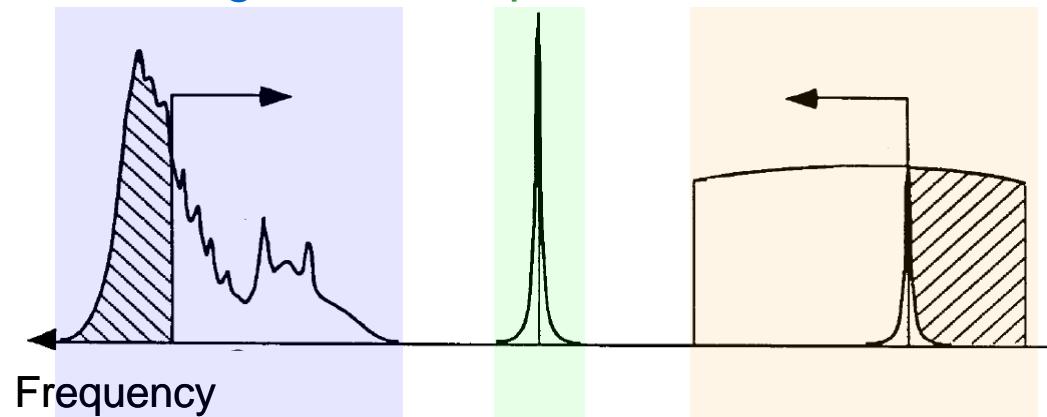
- Realization of phase matching
 - Pump laser: 532 nm
(frequency-doubled Nd:YAG)
 - Stokes laser: 607 nm
(broadband dye laser)
 - CARS signal: 473 nm



CARS: broad band and scanning



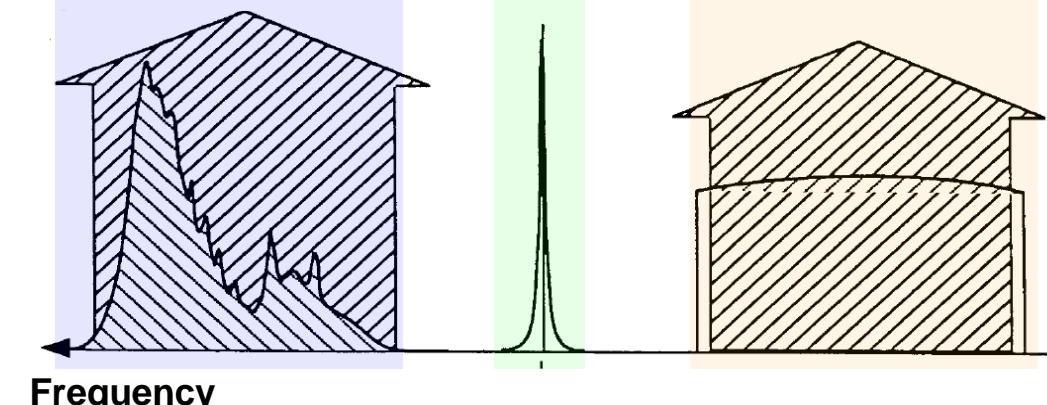
CARS Signal Pump-Laser Stokes-Laser



Scanning CARS

Takes time

Not suitable for
single-shot
thermometry

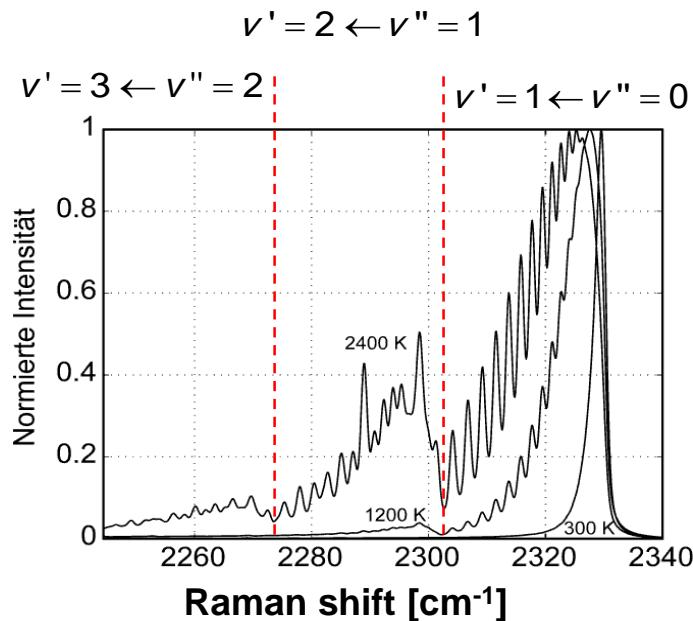


Broadband CARS

→ **Single-shot
thermometry**

CARS: thermometry

- Typical application in turbulent flames: ro-vibronic N₂-broad band CARS



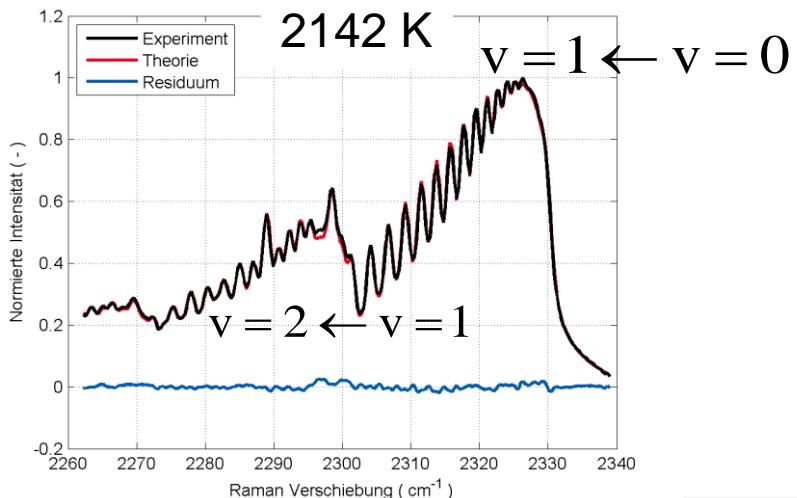
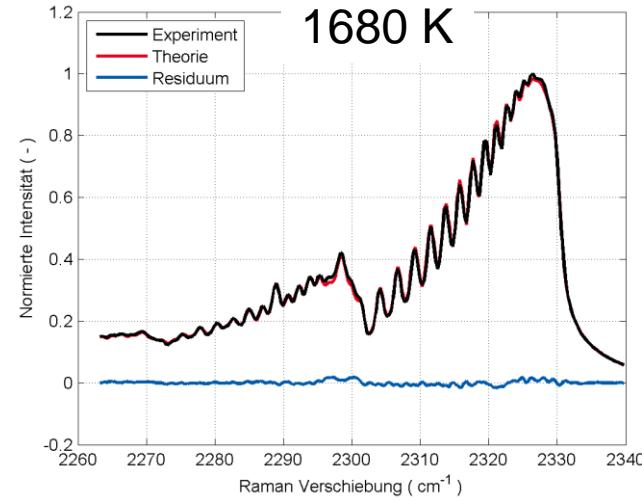
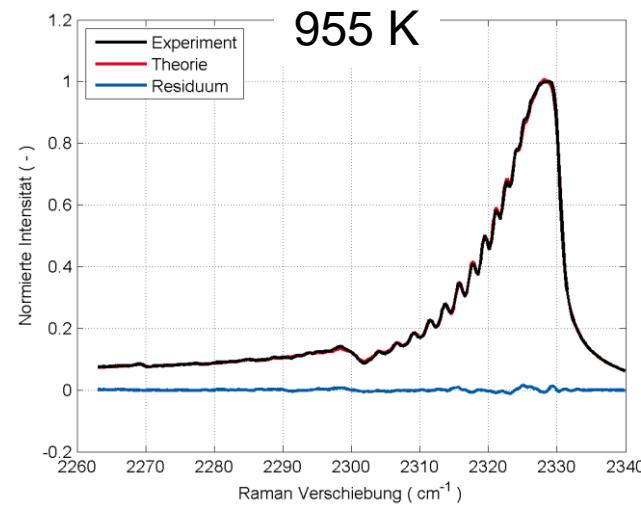
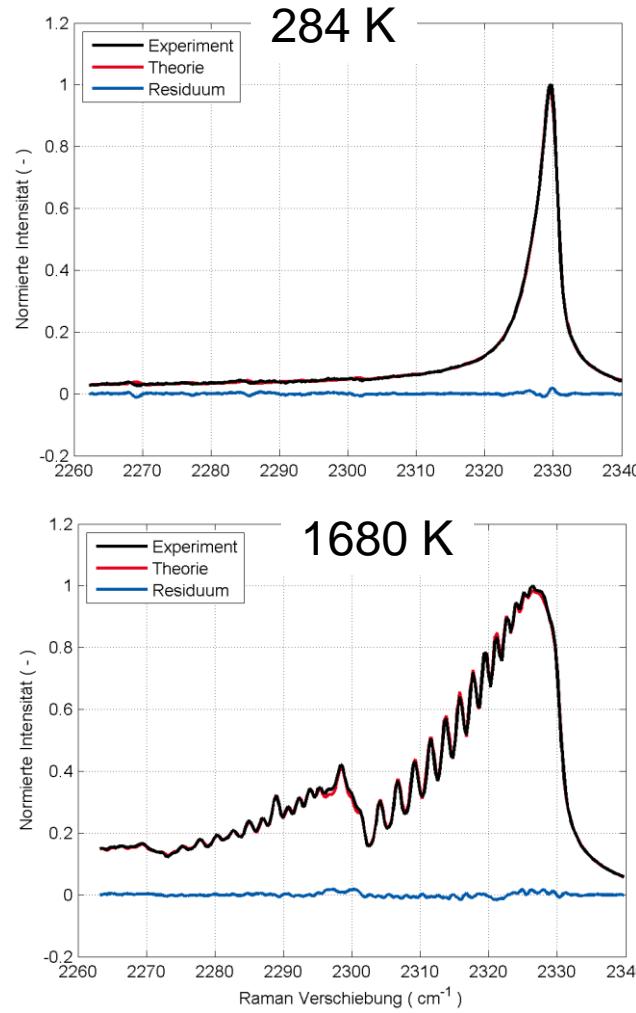
Temperature obtained by fitting CARS spectrum to experimental spectrum

Temperature information is contained in line-strength $\sim N_i^2$ (in χ^3 -tensor)

Based on Boltzmann distribution

$$\frac{N_i}{\sum_i N_i} = \frac{g_i e^{-E_i/kT}}{\sum_i g_i e^{-E_i/kT}}$$

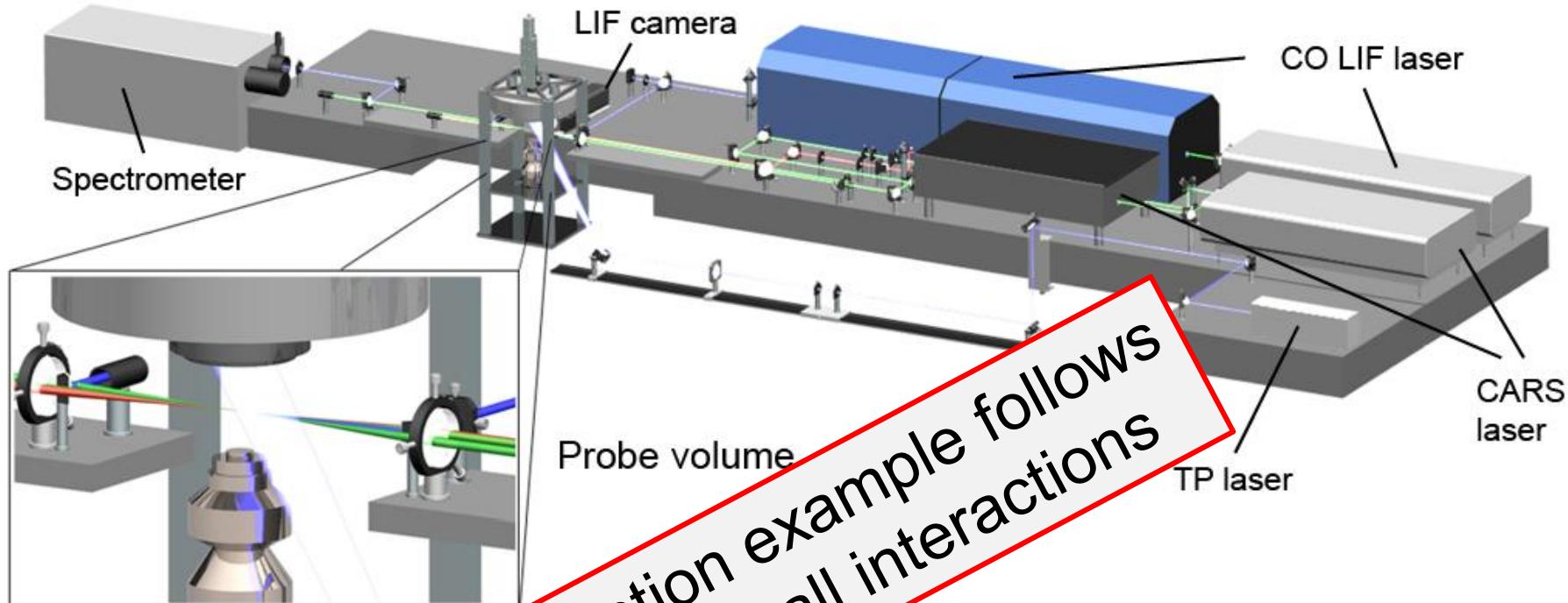
CARS: single shot spectra and spectral fit



CARS: experimental setup, combined with CO-LIF



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Application example follows
in flame-wall interactions

CARS: pro and con



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Advantages:

- precise single-shot temperature measurement of gas phase
- coherent signal allows detector placed far away from combustor
- No calibration required

Disadvantages:

- complicated optical setup
- spatial resolution in mean beam propagation direction only ~0.5mm, often worse
- mostly point-measurements (new fs/fs CARS allows for 1D and 2D CARS!!)

Spectroscopic methods – classification



- Based on

- Boltzmann distribution

$$\frac{N_i}{N} = \frac{g_i \exp(-E_i / kT)}{\sum_j g_j \exp(-E_j / kT)} = \text{unique function of } T$$

g_i : degeneracy factor E_i : energy quantum state; both from quantum mechanics

- Temperature-dependent absorption/emission
 - Density measurements via equation of state

$$pV = NkT \rightarrow T = \frac{pV}{Nk}$$

Temperature dependent emission/absorption



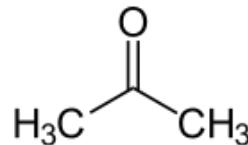
- **Fluorescence tracer** added to gas
 - Typical tracers
 - Hydrocarbons: **aromatics, ketones or aldehydes**
 - **Atoms**
- **Pro**
 - Tracer and its spectroscopic characteristics can be chosen in dependence of measuring task
- **Con**
 - Hydrocarbon tracer is thermally decomposed for $T > \sim 700$ K, not applicable in flames, but for example compression stroke in IC engine
 - Tracer may influence chemical and physical properties of the fluid
 - Spectroscopic properties of tracer often **not independent** of surrounding gas phase

Typical tracers for LIF thermometry

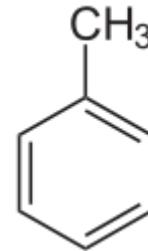
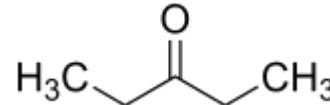


- Ketones:

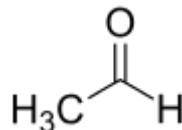
- acetone



- 3-pentanone



- Aromates: toluene



- Aldehydes: acetaldehyde

Classification of LIF-thermometry

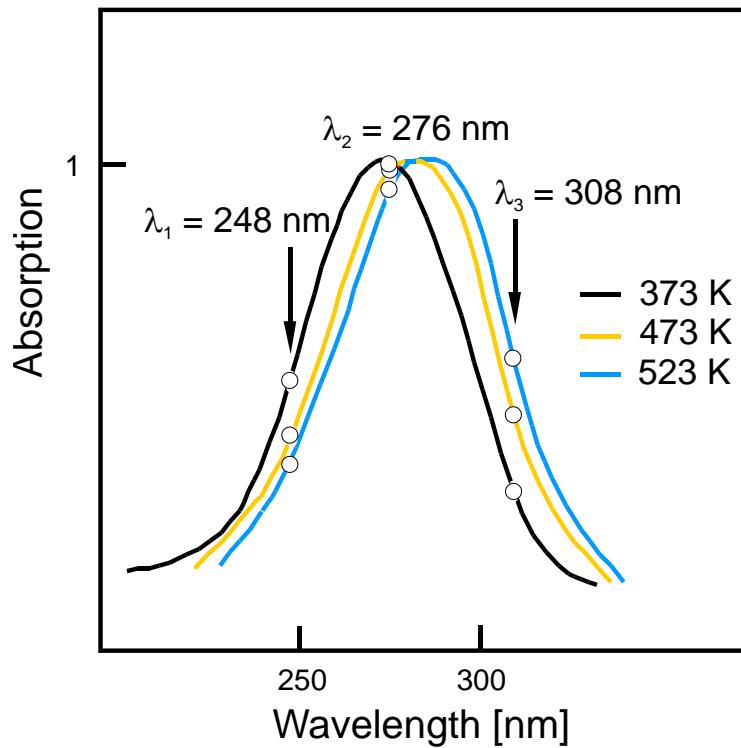


- Two options
 - **Two line** excitation – **one color** detection: excite tracer at two different wavelengths (two lines) and measure fluorescence broadband (one color)
 - Exploit temperature dependent **absorption** band
 - **Single line** excitation – **two color** detection: excite tracer at one wavelength (single line) and measure fluorescence at two spectrally separated bands (two color)
 - Exploit temperature dependent **emission** band

3-pentanone LIF thermometry



- 3-pentanone: Example for **two line – one color** thermometry



- Spectra are normalized
- total integral increases with temperature
- **Two lasers/two cameras needed**
- For more information see Schulz, Dreizler, Ebert, Wolfrum Combustion Diagnostics, Springer Verlag 2007

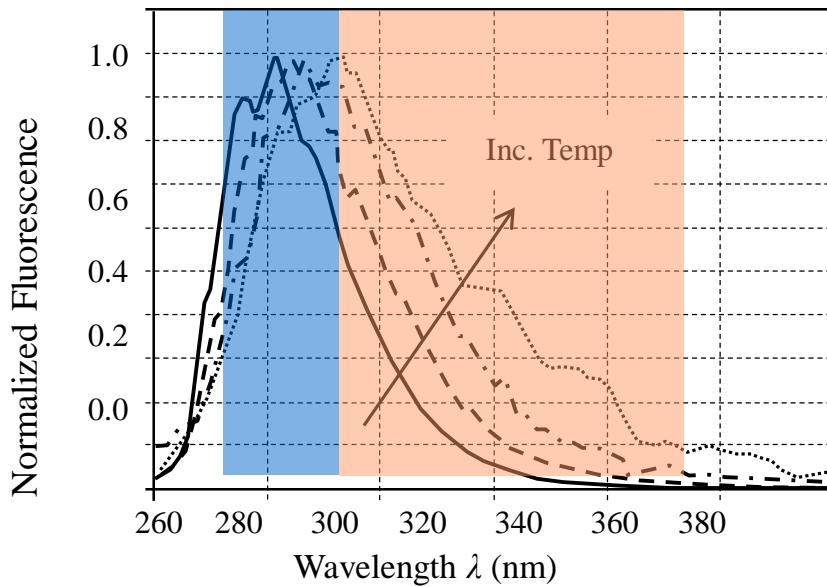
$$\frac{S_1(\lambda_1, p, T)/I_{\text{Laser}_1}(\lambda_1)}{S_2(\lambda_2, p, T)/I_{\text{Laser}_2}(\lambda_2)} \frac{\pi_2}{\pi_1} = \frac{\sigma_1(\lambda_1, T)}{\sigma_2(\lambda_2, T)} \frac{\phi_1(\lambda_1, T)}{\phi_2(\lambda_2, T)} = F(T)$$

Source: C. Schulz et al.

Toluene LIF thermometry



- Toluene: Example for **single line – two color** thermometry



- Spectra are normalized
- Strong quenching by $O_2 \rightarrow$ reducing high quantum yield compared to oxygen-free atmosphere
- For more information see Peterson, Baum, Böhm, Dreizler, Appl. Phys. B 2014

Application example follows
at end of this chapter

Spectroscopic methods – classification



- Based on

- Boltzmann distribution

$$\frac{N_i}{N} = \frac{g_i \exp(-E_i / kT)}{\sum_j g_j \exp(-E_j / kT)} = \text{unique function of } T$$

g_i : degeneracy factor E_i : energy quantum state; both from quantum mechanics

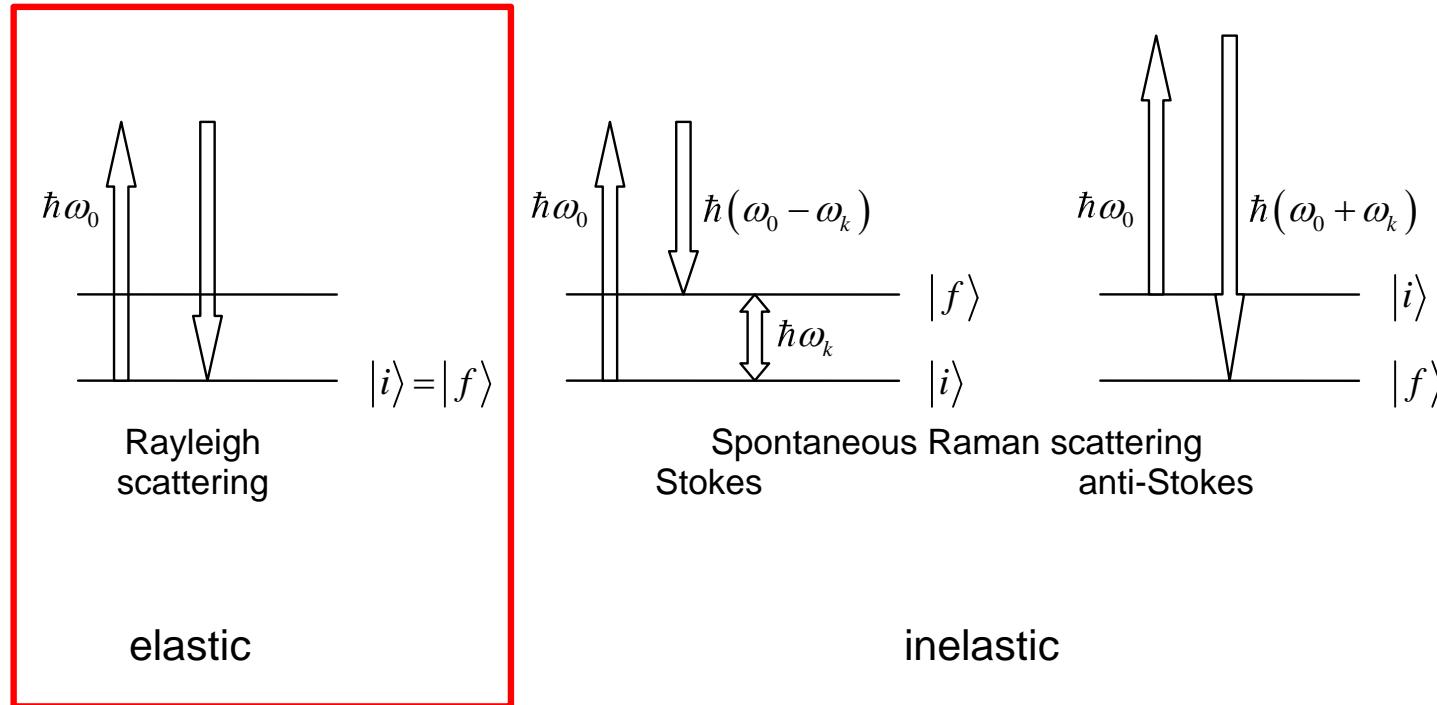
- Temperature-dependent absorption/emission
 - Density measurements via equation of state

$$pV = NkT \rightarrow T = \frac{pV}{Nk}$$

Rayleigh spectroscopy – in combination with Raman if gas composition unknown



- Elastic and inelastic light scattering of photons off molecules



Rayleigh thermometry: known gas comp.



- Rayleigh signal intensity $F_{ray}(x) = C_{calib} \sigma_{ray} I_{laser}(x) N/V$
- With **known Rayleigh cross-section σ_{ray}** (known gas mixture, no reactions), measured laser intensity, and calibration Ray-signal proportional to local gas density
- Deduce temperature in combination with equation-of-state
- Example: ideal gas law $pV = NkT$

$$\rightarrow T = \frac{pV}{Nk} = \frac{p \cdot C_{calib} \cdot \sigma_{Ray} \cdot I_{laser}(x)}{k \cdot F_{Ray}(x)}$$

- Wavelength-dependent Ray cross section of gas i can be calculated from index of refraction

$$\sigma_{ray,i} \cong \frac{4\pi^2(n_i - 1)^2}{(N_A/V)^2 \lambda^4}$$

Rayleigh thermometry: unknown gas comp.



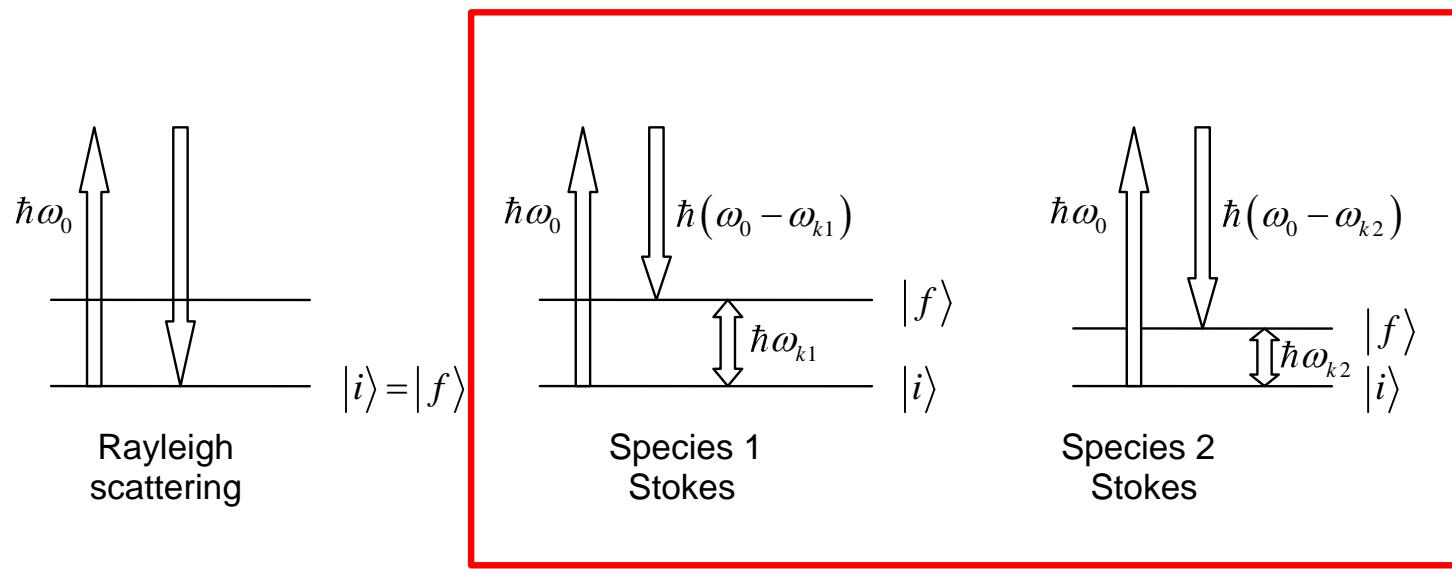
- Rayleigh signal intensity $F_{ray}(x) = C_{calib} \sigma_{ray} / I_{laser}(x) N/V$
- Measure laser intensity and perform calibration Ray-signal proportional to local gas density
- **Gas mixture unknown** (for example due to chem. reactions or mixing)
 - gas composition must be measured
 - **simultaneous Raman** scattering
- Once gas composition is known, effective Rayleigh cross-section can be calculated by:

$$\sigma_{ray} = \sum_i x_i \sigma_{ray,i}$$

Raman/Rayleigh spectroscopy (1)



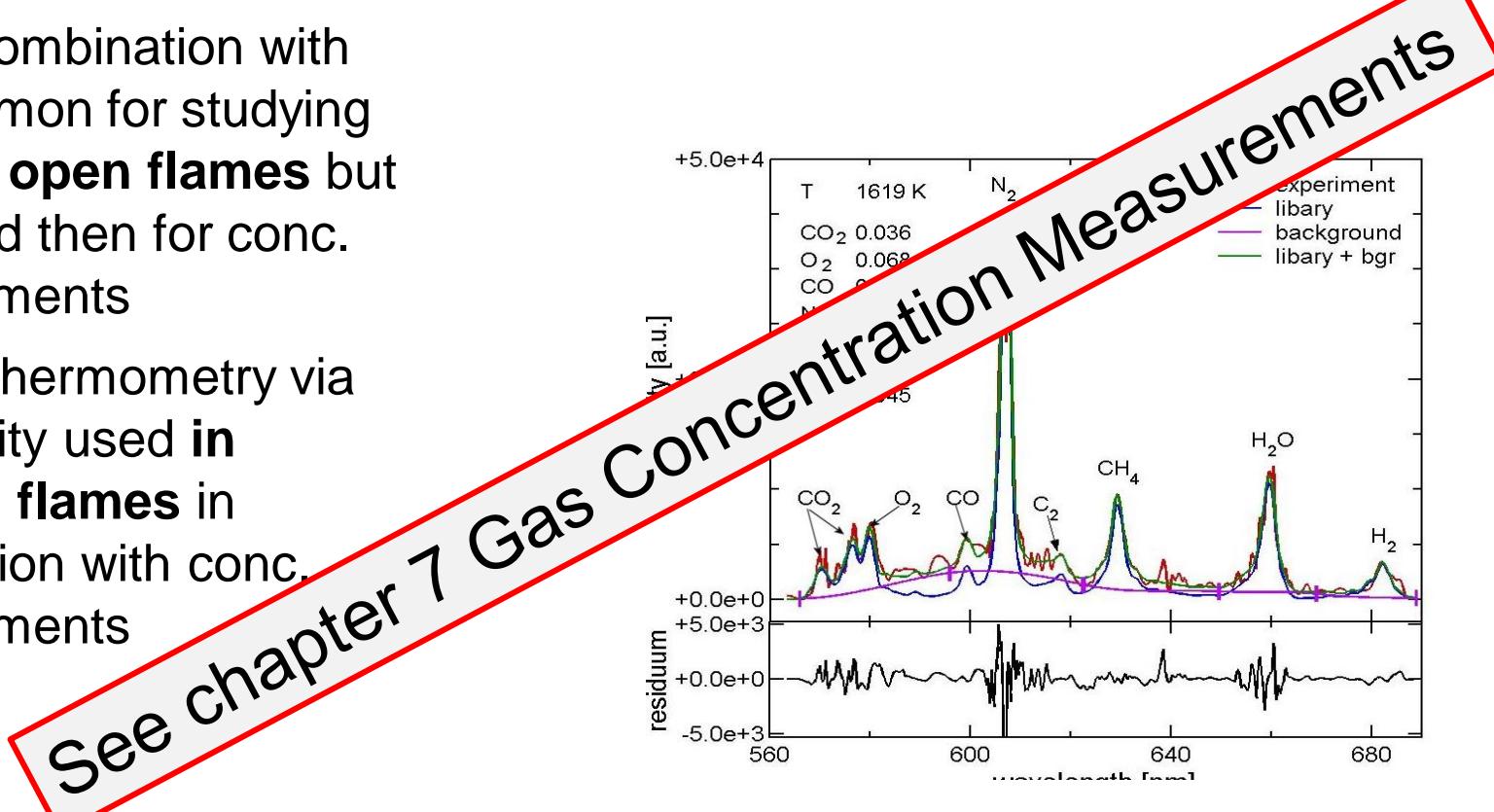
- Measure entire Raman Stokes spectrum
- **Low dispersion** → measure multi-scalars and deduce temperature either from Rayleigh scattering (see below) or from absolute gas density
- **Multi-scalar**: exploit different energy separation between quantum states for different molecules



Raman/Rayleigh spectroscopy (2)



- Measure entire Raman Stokes spectrum with **low** dispersion
- Ram in combination with Ray common for studying details of **open flames** but Ram used then for conc. measurements
- Ram for thermometry via gas density used **in confined flames** in combination with conc. measurements



Simultaneous Raman/Rayleigh spectroscopy



- Raman scattering → species concentrations $N_i(\vec{r})$

$$S_{ram,i}(\vec{r}) \propto \sigma_{ram,i}(\vec{r}) N_i(\vec{r}) I_{Laser}$$

- Rayleigh scattering → density, with EOS → temperature $T(\vec{r})$

$$S_{ray}(\vec{r}) \propto \sigma_{ray}(\vec{r}) I_{Laser} \sum N_i(\vec{r})$$

$$\sigma_{ray} = \sum_i \left(\frac{N_i(\vec{r})}{\sum_j N_j(\vec{r})} \right) \sigma_{ray,i} \xrightarrow[\text{Ideal gas law}]{\text{(EOS)}} T(\vec{r}) \propto \frac{1}{\sum N_i(\vec{r})}$$

- Iterative procedure to determine temperature and species**

See chapter 7 Gas Concentration Measurements

Motivation

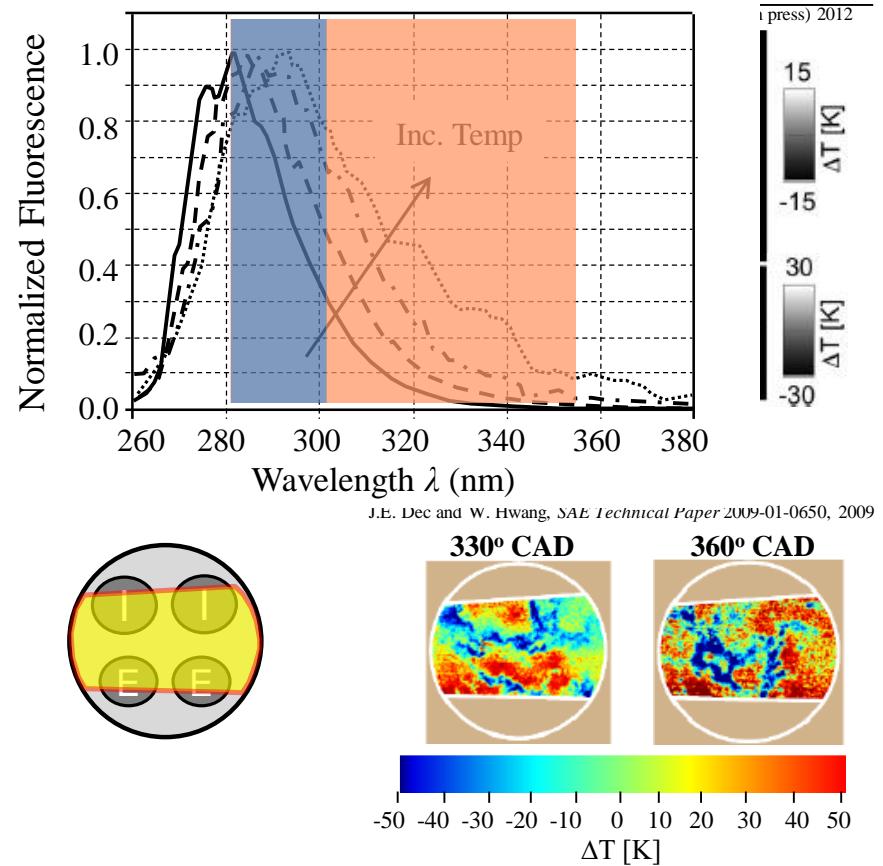


- Gas temperature is a leading parameter in combustion
- Internal combustion engines
 - Temperature dependencies
 - Mixture preparation
 - Ignition, auto-ignition
 - Combustion
 - Pollutant formation
 - Heat loss
- Measure and understand spatial and temporal evolution of unburned gas temperature in IC engine
- For details see: Peterson et al. PCI 2013





- Laser Induced Fluorescence (LIF) Thermometry
- Toluene LIF Thermometry
 - Single line excitation
 - 248 or 266 nm
 - Single or two color detection
- IC Engines
 - Temperature stratification^{1,2,3,4}
 - Low repetition rates
- Focus here
 - High-speed toluene LIF and PIV measurements
 - Temporal evolution of 2D temperature field



- 1: Kakuhō et al., SAE, 2006
- 2: Fujikawa et al., SAE, 2006
- 3: Hwang and Dec, SAE, 2009
- 4: Kaiser et al., ProCI In Press, 2012
- 5: Dronniou and Dec, SAE, 2012

Experimental Setup



- High-speed imaging

- 2D PIV

- Red Image
 - 532 nm (Nd:YVO₄)

Blue Image

- HS CMOS

- Toluene LIF

- 266 nm (Nd:YAG)
 - 1 mJ at 6 kHz

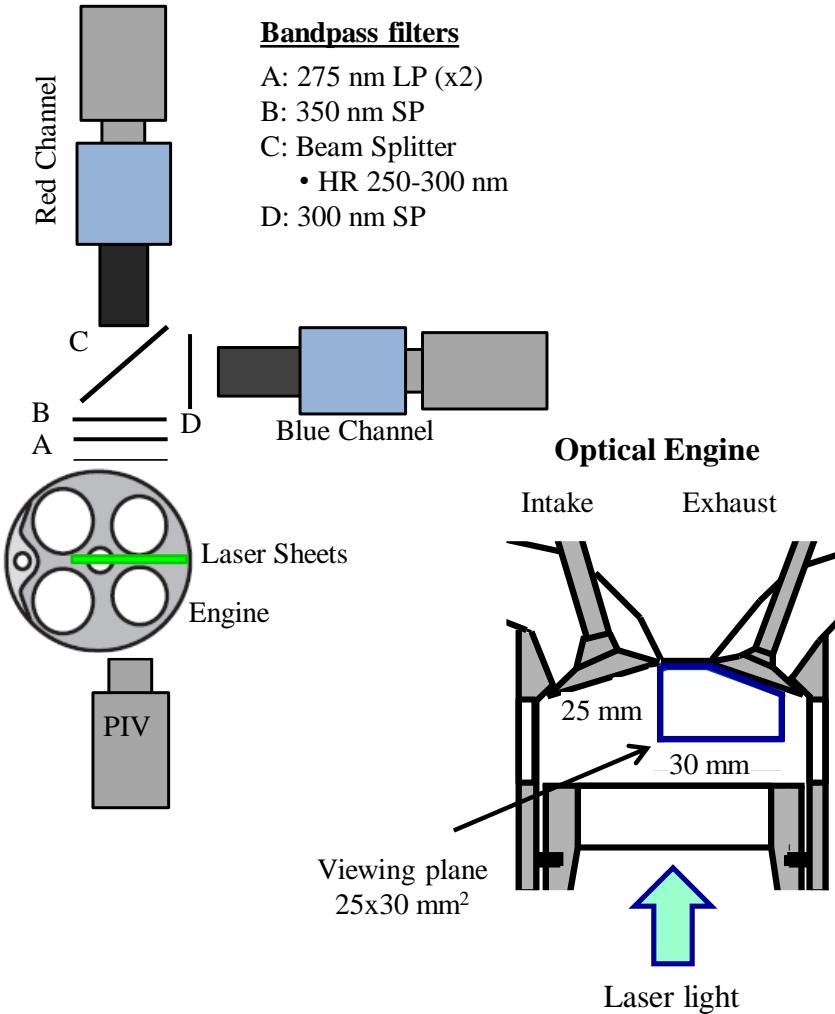
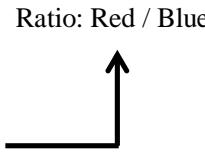
- HS-IRO CMOS

- Laser sheets centralized in tumble plane

- Image through quartz glass cylinder

- T-LIF independent:

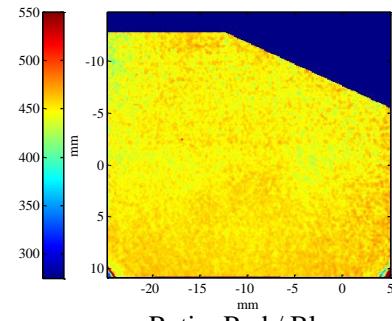
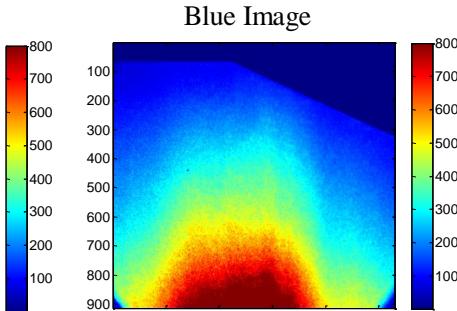
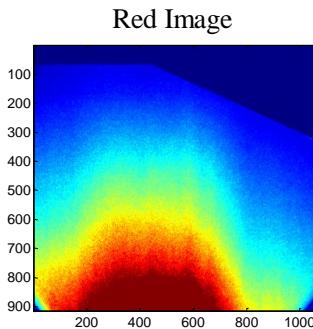
- Absorption
 - Laser fluence
 - Mixture inhomogeneities



Experimental Setup



- Toluene LIF
- Two-color fluorescence detection

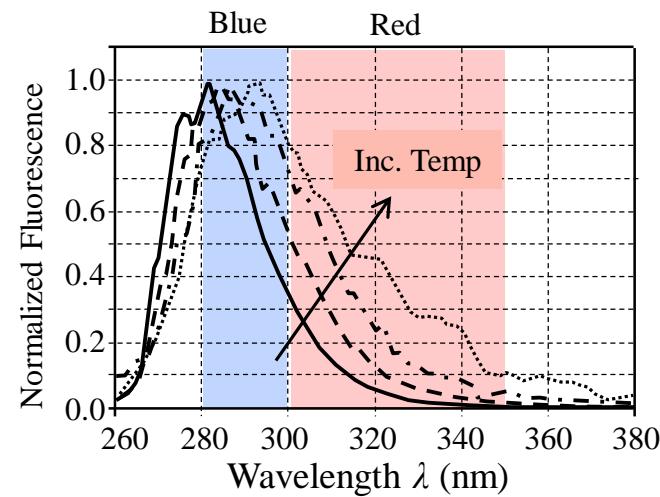
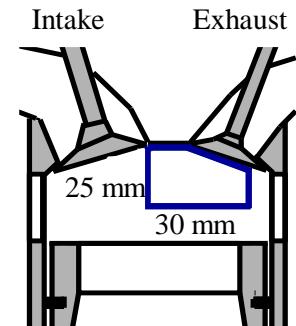


- T-LIF independent:
 - Absorption
 - Laser fluence
 - Mixture inhomogeneities



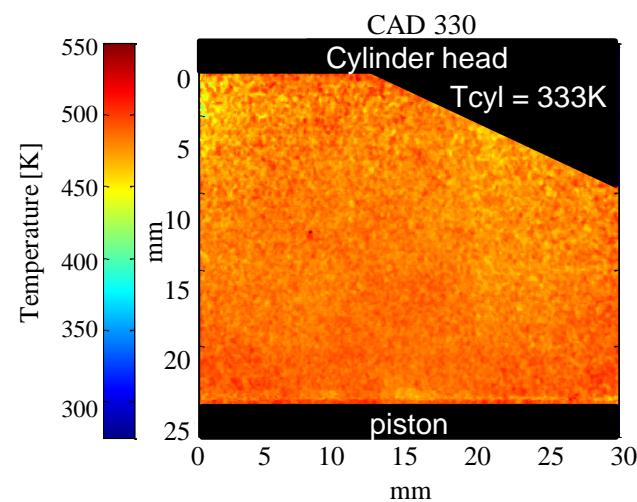
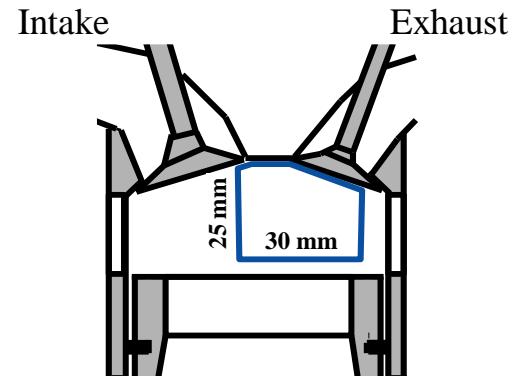
Bandpass filters

- A: 275 nm LP (x2)
- B: 350 nm SP
- C: Beam Splitter
 - HR 250-300 nm
- D: 300 nm SP



Experimental Setup

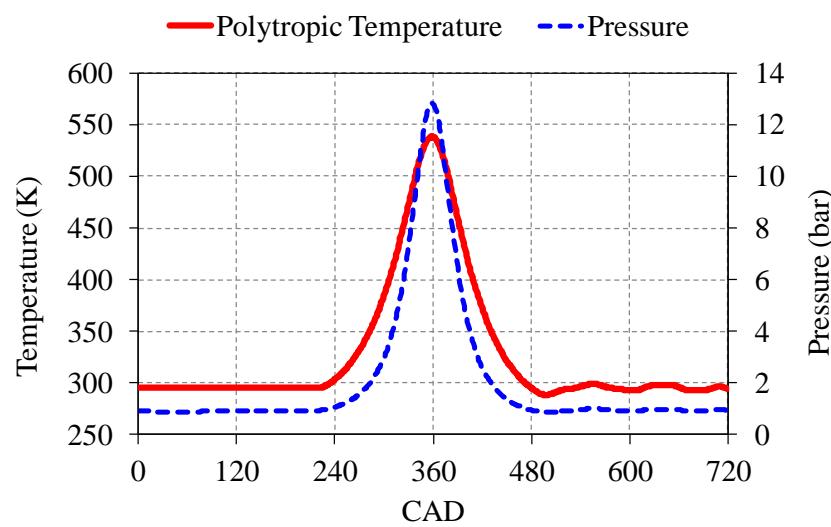
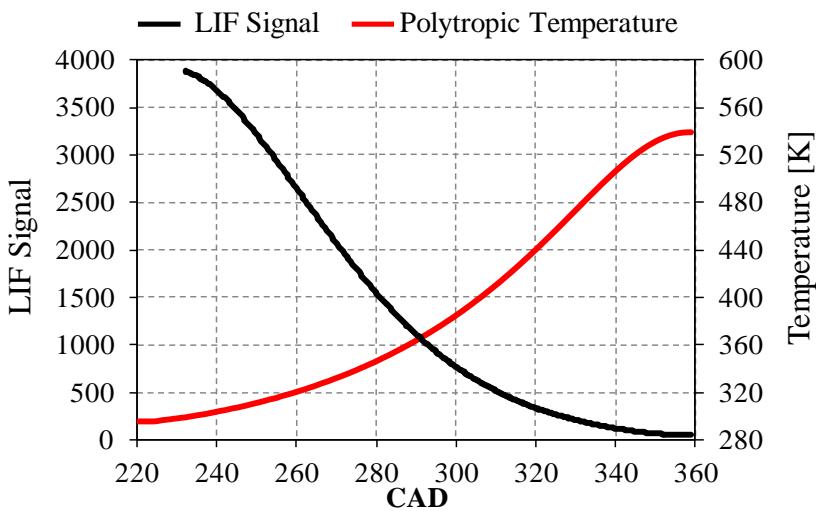
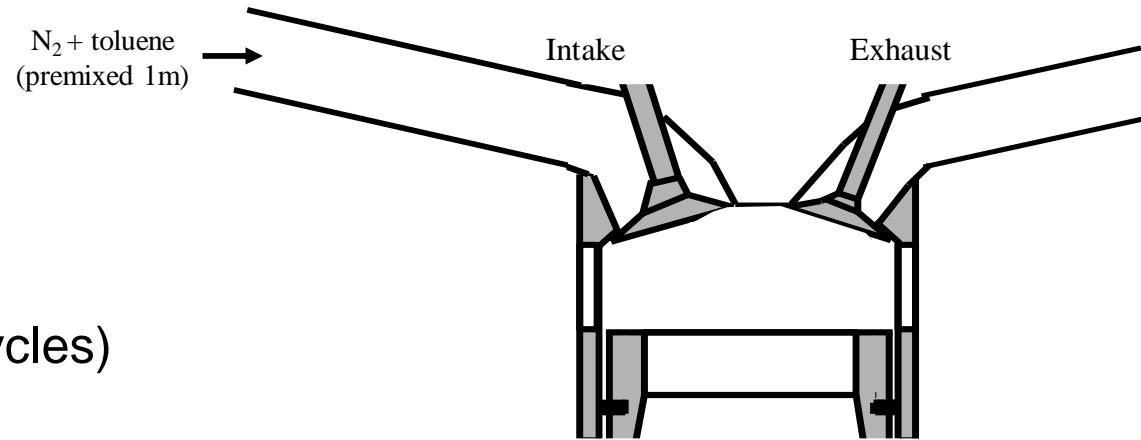
- Field-of-view
 - 25x30 mm² region
 - Offset from cylinder axis
 - Near cylinder head
- Cylinder head
 - Set temperature: 333K
 - Expected thermal gradients near colder surfaces
- Images
 - 3x3 median filter
 - 3x3 pixel binning
 - Spatial resolution
 - 0.08 mm/pixel



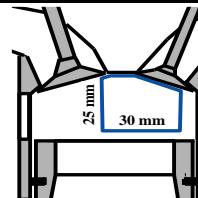
Engine Operating Conditions



- 1000 RPM
- Intake
 - Nitrogen
 - Toluene vapor (2.5% vol.)
 - 95 kPa, 295K
- Motored Operation (72 cycles)
 - CR = 8.5
- LIF signal dynamic range



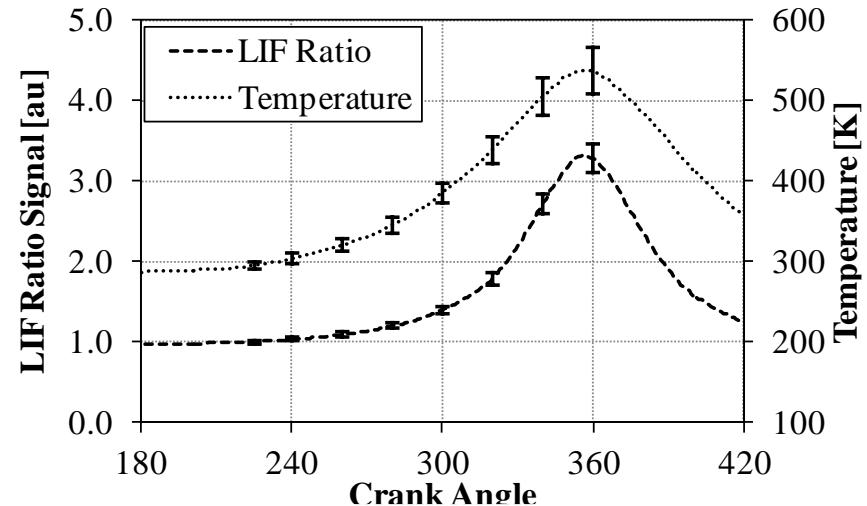
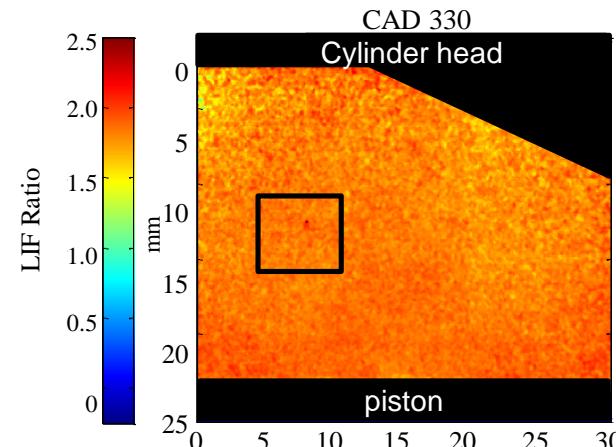
LIF Signal



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- Calibration (LIF → Temp)
 - LIF ratio (72 cycles)
 - 5x5 mm² region
 - Calibrate to polytropic temperature

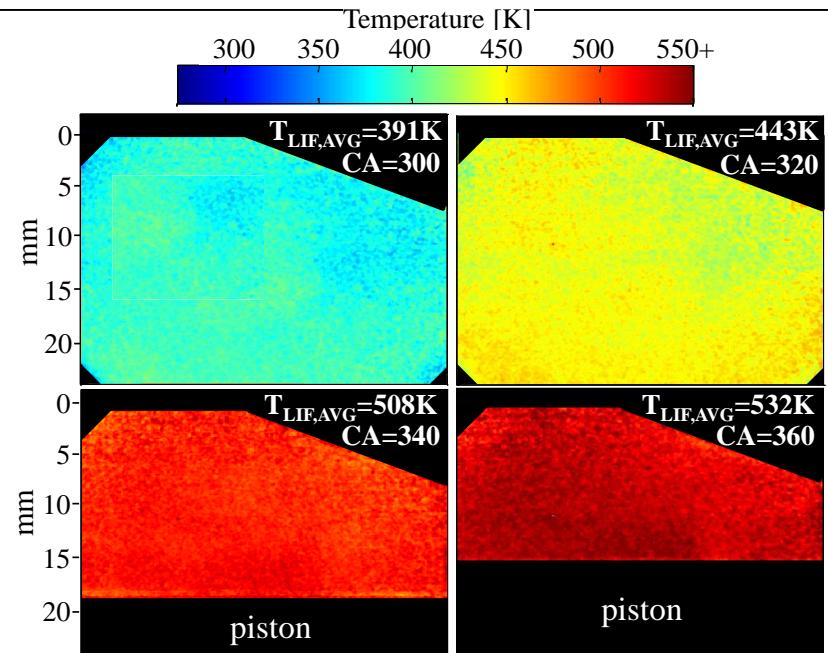
- Precision Uncertainty
 - $\text{LIF}_{\text{ratio, stdev}} / \text{LIF}_{\text{ratio}}$
 - Pixel-wise (0.08 x 0.08 mm² region)
 - LIF precision uncertainty
 - $T = 295 \pm 5 \text{ K}$ (2%)
 - $T = 540 \pm 29 \text{ K}$ (5.2%)
 - 10x10 pixel region
 - $T = 540 \pm 19 \text{ K}$ (3.5%)



Temperature Images for fired operation

- Compression
 - Homogeneous temperature distribution
 - Temperature “structures” not present

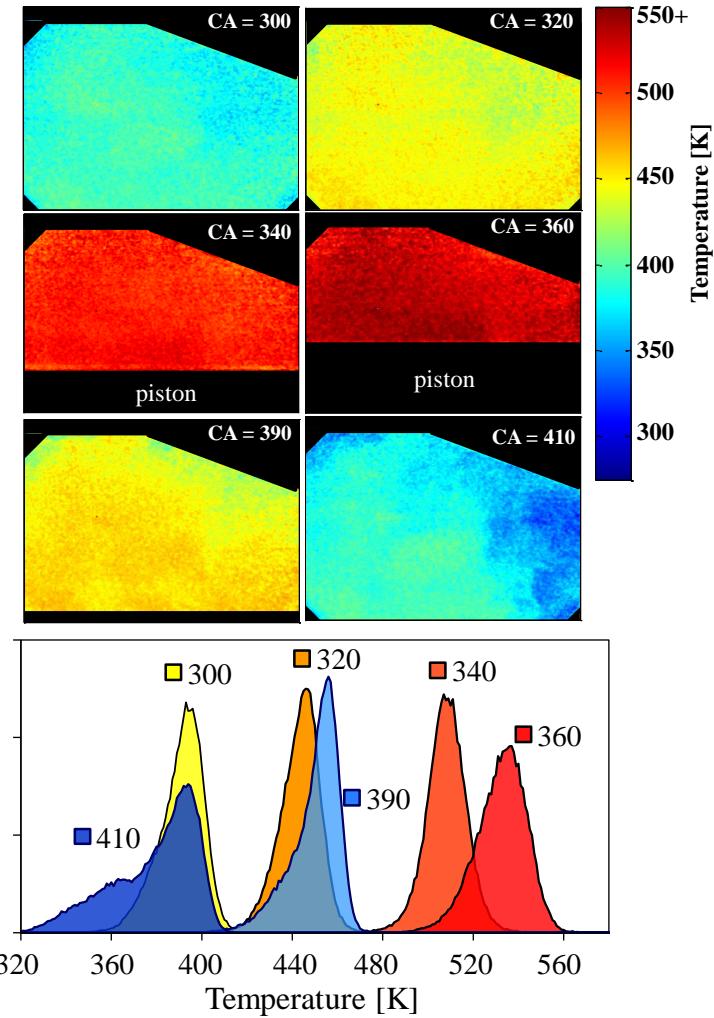
- Expansion
 - Cold temperatures emerge from cylinder head
 - Out-gassing of crevice gases
 - Cold gas entrainment from right side
 - 50 K colder



Temperature distributions



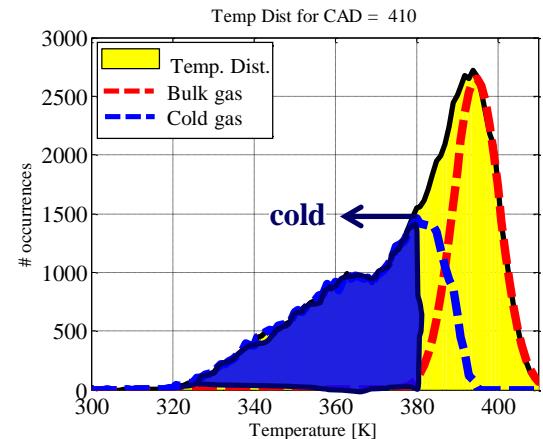
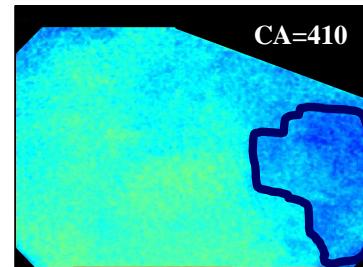
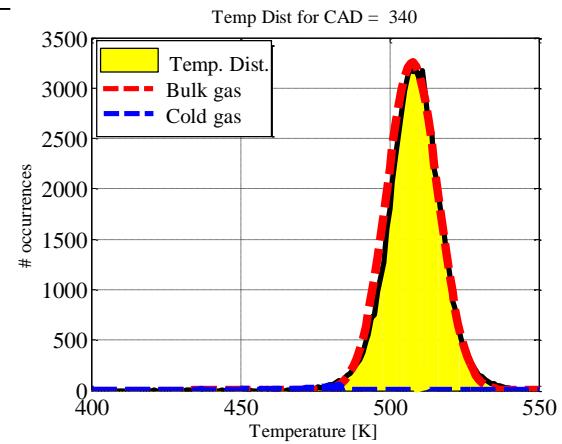
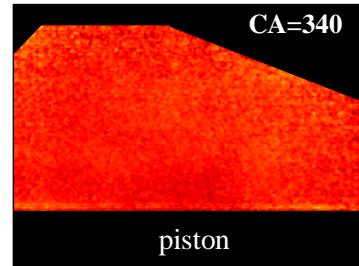
- Compression
 - Homogeneous temperature distribution
 - Gaussian-like distribution
- Expansion
 - Temperature inhomogeneities
 - Skew / bimodal distributions



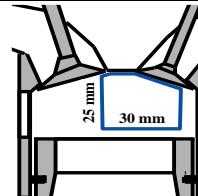
Temperature Distribution



- Identifying temperature inhomogeneities
 - Cold gas
- Gaussian fit to bulk gas temperature
- Subtract from temperature distribution
 - Cold gas distribution
- Cold temperature inhomogeneities
 - < peak of cold gas distribution

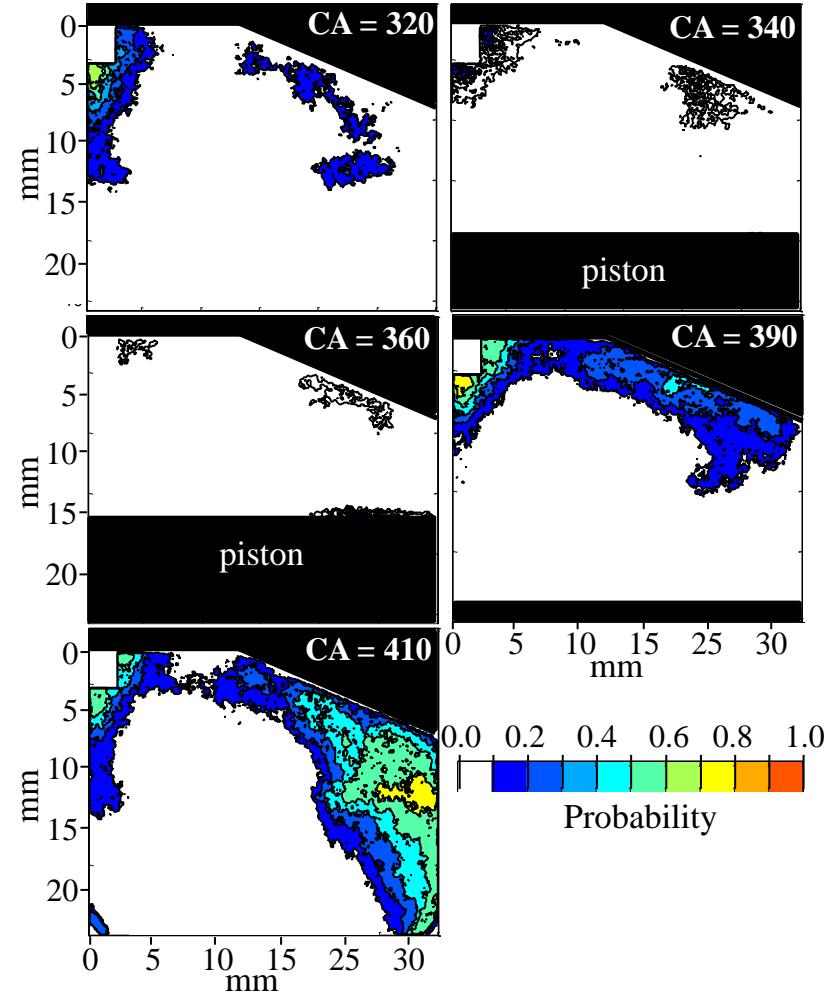


2D PDF Cold Temperature

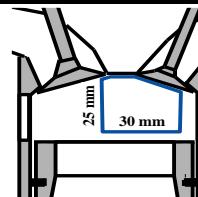


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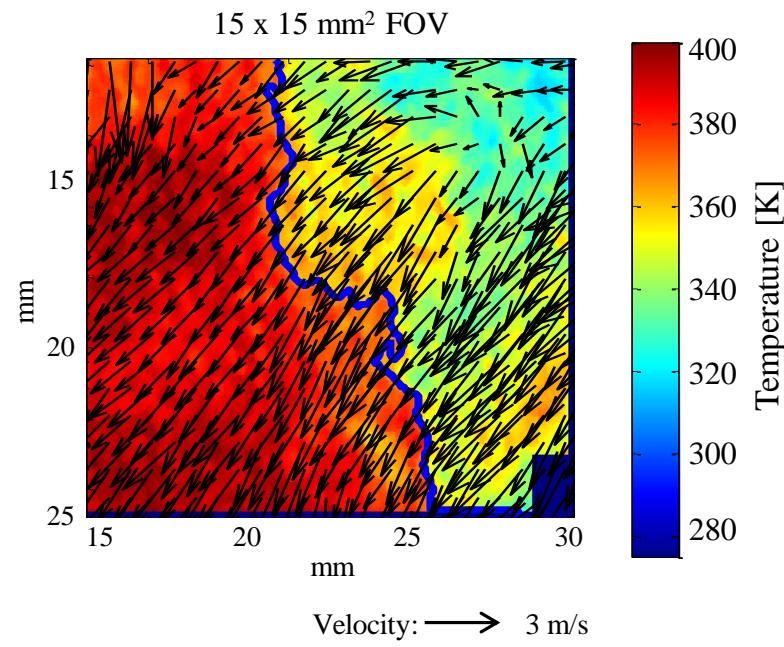
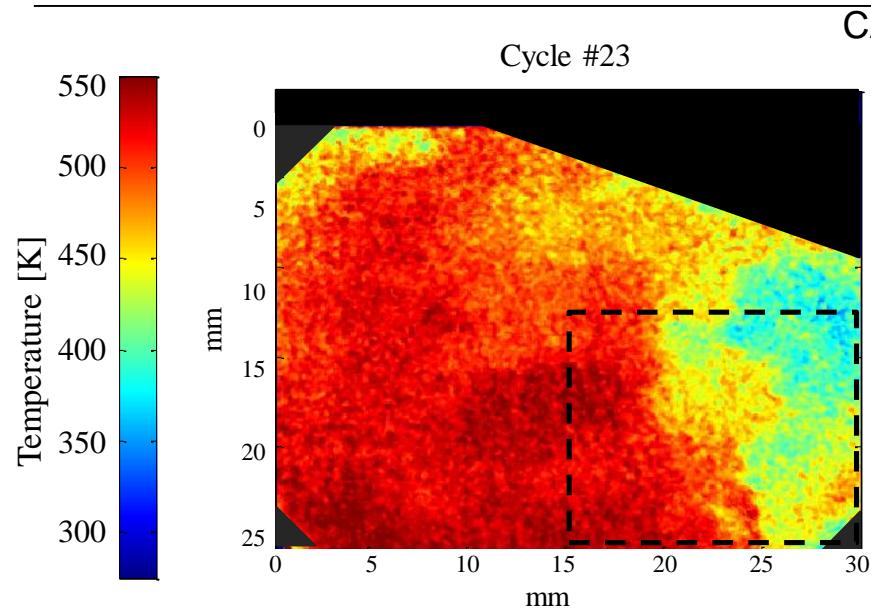
- 72 motored cycles
- Location, occurrence of cold temperature
- Compression
 - Colder temperatures near cylinder head
 - Low probability (< 30%)
 - Temperature boundary layer not visible
- Expansion
 - Cold regions near cylinder head
 - Cold gas enters viewing plane from crevices



Cold Gas Expansion



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Temperature and velocity field

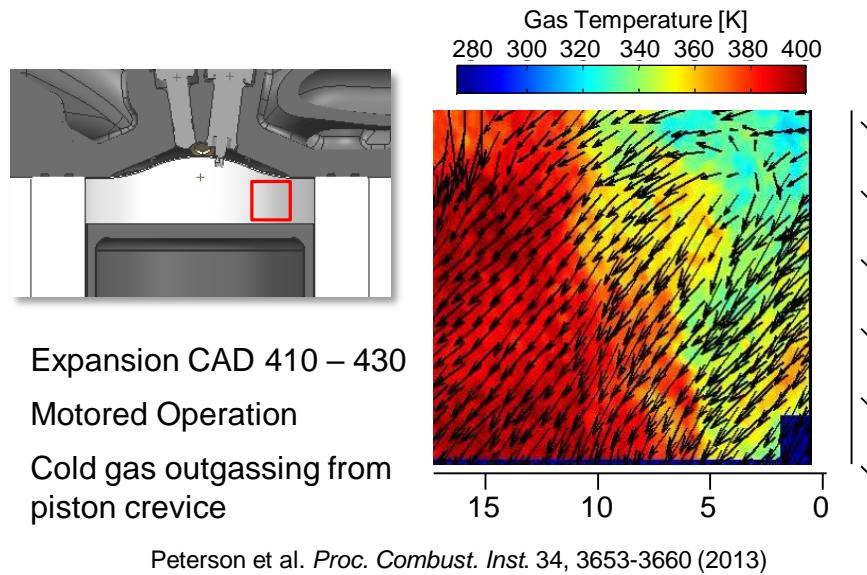
— cold temperature threshold

High speed toluene PLIF combined with PIV



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- Visualization of outgassing from crevices



Conclusions temperature/velocity measurements in IC engine



- High-speed Toluene-LIF and PIV to assess thermal transport in IC engine
- 2-color detection
 - LIF independent from absorption and local mixing
 - Precision uncertainty limited to 3-6% (dependent on temperature)
- Compression
 - Quasi-homogeneous temperature distribution
- Expansion
 - Evident colder gas evolution
 - Thermal stratification
- Cold front tracking
 - LIF vs. PIV
 - Transport of cold gas
 - Discrepancies
 - Out-of-plane motion

Overall summary

- Spectroscopic methods well suited for minimal invasive thermometry
- High resolution in time and reasonable resolution in space
- There is not the single method best suited for all tasks – choice depends on measurement task
- Optical access required – can be a problem
- High instrumental effort and expert knowledge needed